

CAPSO5

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Tutorial on Temporal and Resource Reasoning for Planning, Scheduling and Execution

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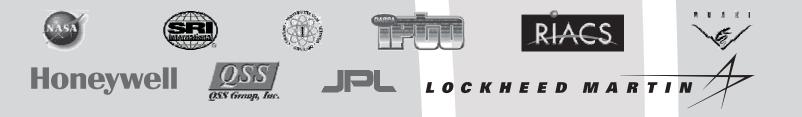
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Tutorial on Temporal and Resource Reasoning for Planning, Scheduling and Execution

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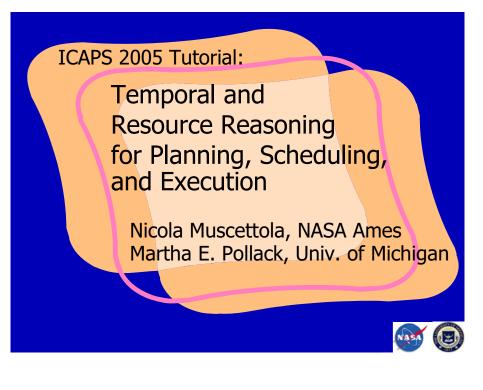
Tutorial on Temporal and Resource Reasoning for Planning, Scheduling and Execution

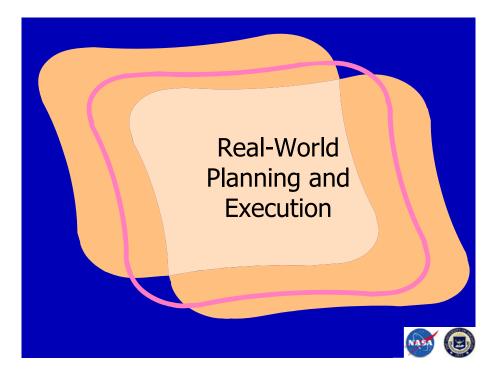
Preface

Planning and scheduling algorithms are increasingly guiding autonomous systems that interact with the environment and with humans in the real world. Without effective management of time and resources these autonomous systems cannot guarantee safe and efficient operations over a long period of time. In this tutorial we review basic and advanced topics in time and resource constraint reasoning and their applications to planning, scheduling and execution. The emphasis on plan execution is increasingly important as planning moves from the laboratory to real applications. Significant CPU and memory limitations during plan execution provide a strong driver for the design of efficient algorithms. Several such algorithms will be presented in this tutorial together with their justification from applications such as space exploration, health care systems, military systems and manufacturing. The tutorial will present a comprehensive review of current temporal and resource constraint-based formalisms, their motivation, their propagation algorithms and their use in planning, scheduling and execution systems.

Instructors

- Nicola Muscettola, NASA Ames
- Martha E. Pollack, University of Michigan





Space Facility Crew Activity Planning



·Activity schedule very tight •Did not adapt to uncertainties in execution •Did not adapt to human needs for more flexibility •45 days into the mission they rebelled

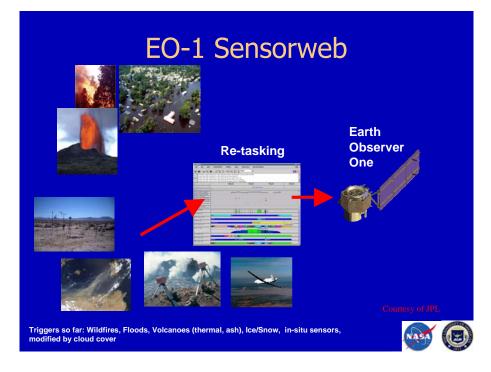


MAPGEN in Surface Operations Surface Operations

- MAPGEN: First Artificial Intelligence (AI) based Decision-Support System to control a spacecraft on the surface of another planet
- Spirit:
 - Nominal science operations from Sol 15 to 18
 - All planned activities from 16/17 executed on board
 Return to nominal science operations within 2-3 days
- **Opportunity:**
 - Informal use begins Sol 4/5
 Commanded activities executed on board nominally
 - Nominal science operations tomorrow (Feb 6th)
- Dual rover support use of MAPGEN in full • swing

 Continues to be for MER Extended Ops
- Conservative ROI to NASA: 25% extra science returned per Sol, over a manual approach for plan synthesis Approx \$1.4 Million/Sol
- (1 Sol = 1 Martian Day = 24hrs 37ming





Robust Task Execution for Long ASTEP LITA Atacama Field Campaign (Sep-Oct

- 2004)
 - Zöe rover with life detecting instruments
 - On-board planning and autonomous navigation over long distances
- Rover executive results (preliminary, telemetry still being analyzed)
 - Total hours of operations (cumulative over several runs): 17 hours
 - Total distance covered: 16 km
 - Longest autonomous traverse: 3.3Km 2h 29m
 - "Roughest traverse": 1h 2m with 19 faults recovered
 - Faults addressed:
 - Navigator "confused"
 - Internal processes failed
 - Early and late arrival at waypoint

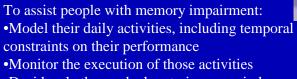




Autominder: Assistive Technology for Cognition

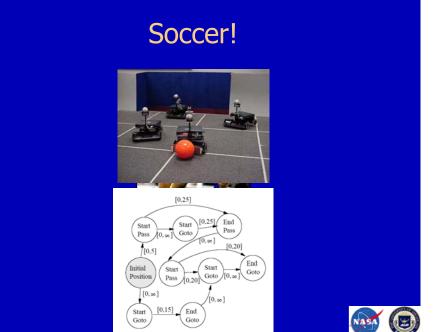








•Decide whether and when to issue reminders



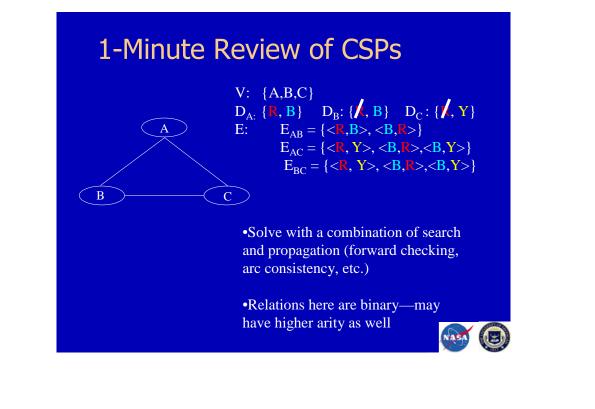
Issues in Temporal Planning and Execution

- Representation: What kinds of temporal information can we represent?
- -• Planning
 - Generation: How do we construct a temporal plan?
 - Execution
 - Dispatch: When should the steps in the plan be executed? How do we maintain the state of the plan, given that time is passing (and events are occurring)?
 - Focus Today: Constraint-Based Models

Constraint Satisfaction Problems

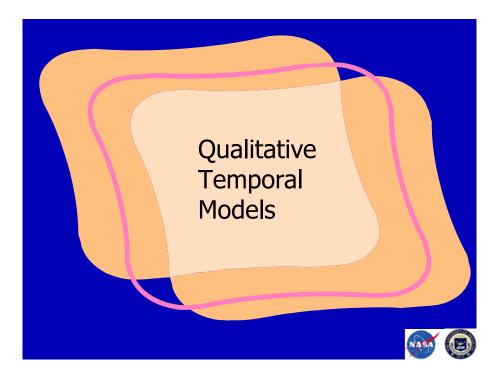
• <V,D,E>

- $V = \{v_1, v_2, \dots, v_n\}$: set of constrained variables
- $-D = \{D_1, D_2, \dots, D_n\}$: domains for each variable
- E = relations on a subset of V: constraints, representing the legal (partial) solutions



High Level Outline

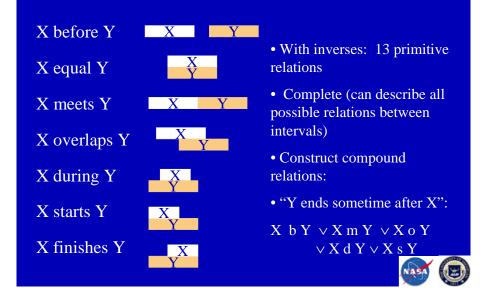
- 1. Time representations in problem solving and execution
- 2. Planning with time
- 3. Resource reasoning

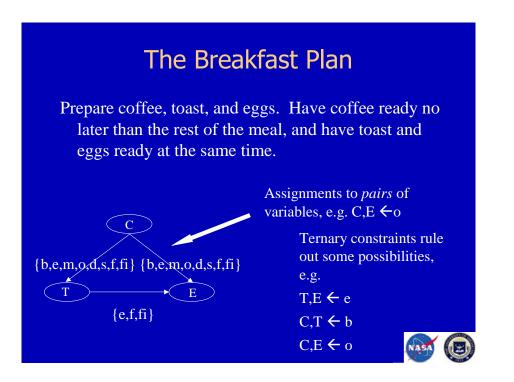


Outline

- 1. Qualitative Temporal Models
- 2. Representing and Solving Simple Temporal Problems
- 3. Dispatching Plans Modeled as STPs
- 4. Representing and Solving Disjunctive Temporal Problems
- 5. Dispatching DTPs
- 6. Generating Temporal Plans
- 7. Adding Uncertainty: Temporal and Causal Then on to resources. . .

Interval Algebra





Reasoning with the Interval Algebra

• Model the ternary constraints with a composition table; use to check path-consistency

	b	m	0	
b	b	b	b	
m	b	b	b	
0	b	b	b,m,o	

- Reasoning tasks
 - Check consistency
 - Find a solution
- Both tasks are NP hard
 - Path consistency not sufficient



- P < Q Now model intervals with 2 points (start and end)
- Construct 8 compound relations P = Q
 - "(Interval) Y ends no later than (interval) X":

$$> A$$
 $Y_e > X_e \lor Y_e = X_e$

Ρ

- Can check consistency and find solutions in polynomial time
- But loss of expressive power: Can't represent all IA relations

X {b,bi} $Y \equiv X_e < Y_s \lor Y_e < X_s \longleftarrow$ Not binary!

Real Plans often have Quantitative Constraints

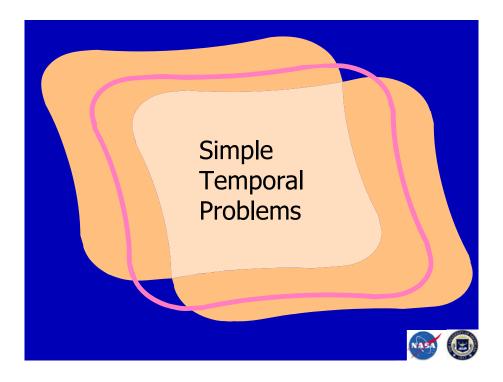
• US NINDS Guidelines for Treatment of Potential Stroke (Thrombolytic) Patient

ACTION	TARGET DURATION	
Hospital door to doctor	10 minutes	
Door to neurological expert	15 minutes	
Door to CT scan completion	25 minutes	
Door to CT scan interpretation	45 minutes	
<i>Depending on test results</i> , door to treatment	60 minutes	
<i>Depending on test results,</i> admission to monitored bed	3 hours	

Real Plans often have Quantitative Constraints

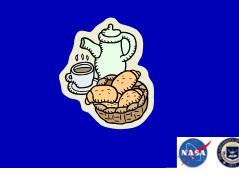
• Typical Plan for an Autominder User

ACTION	TARGET TIME	
Start laundry	Before 10 a.m.	
Put clothes in dryer	Within 20 minutes of washer ending	
Fold clothes	Within 20 minutes of dryer ending	
Prepare lunch	Between 11:45 and 12:15	
Eat lunch	At end of prepare lunch	
Check pulse	Between 11:00 and 1:00, and between 3:00 and 5:00	
Depending on pulse, take meds	At end of check pulse	



The Breakfast Plan (Version 2)

Prepare coffee and toast. Have them ready within 2 minutes of each other. Brew coffee for 3-5 minutes; toast bread for 2-4 minutes.



Temporal Constraint Problems

• Family of constraint-satisfaction problems (CSPs), <*V*,*E*> where

V = events

- E =interval-based constraints
- The domains D are left implicit: real numbers or integers
- Members of the family are defined by the form of the constraints

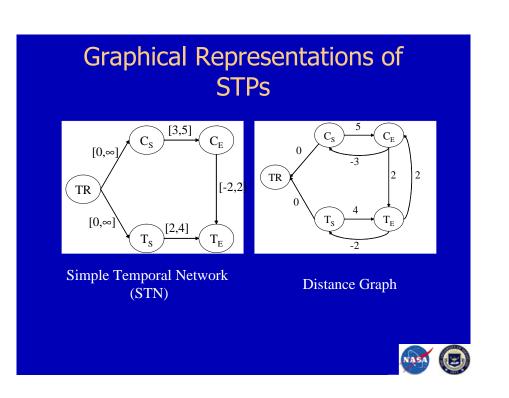
Simple Temporal Problems

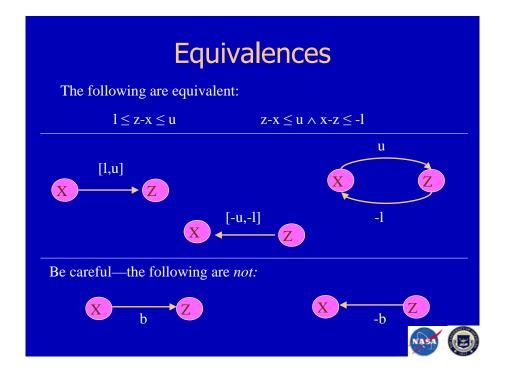
- In a Simple Temporal Problem (STP) <V,E,>, the constraints have the form y - x ≤ u, where x, y ∈ V, and u ∈ ℜ.
- W.l.o.g. assume $u \in Z$.

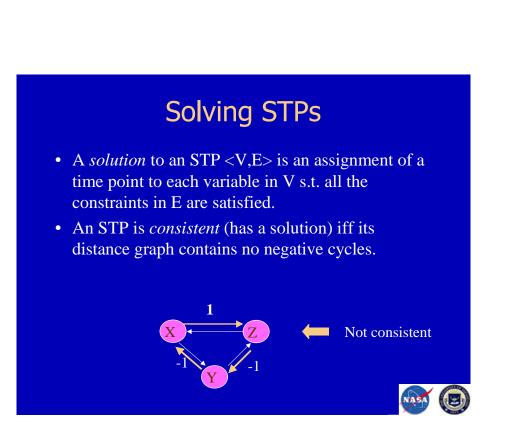
The Breakfast Plan as an STP

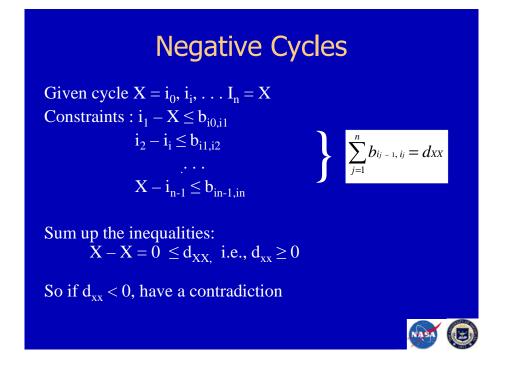
Prepare coffee and toast. Have them ready within 2 minutes of each other. Brew coffee for 3-5 minutes; toast bread for 2-4 minutes.

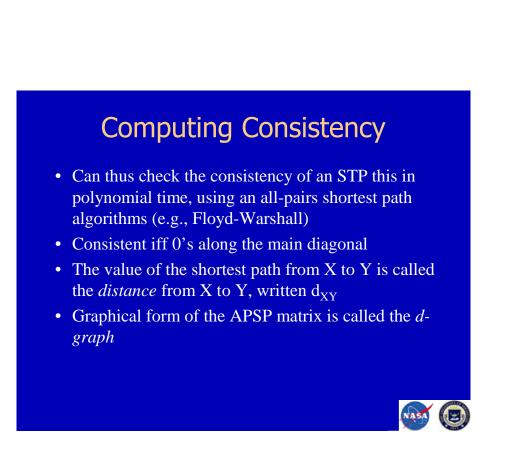
 $\begin{array}{ll} \text{Variables:} & \text{TR} \text{ , } \text{C}_{\text{S}} \text{ , } \text{C}_{\text{E}} \text{ , } \text{T}_{\text{S}} \text{ , } \text{T}_{\text{E}} \\ \text{Constraints:} \\ & 3 \leq \text{C}_{\text{E}} \text{ - } \text{C}_{\text{S}} \leq 5 \\ & 2 \leq \text{T}_{\text{E}} \text{ - } \text{T}_{\text{S}} \leq 4 \\ & -2 \leq \text{C}_{\text{E}} \text{ - } \text{T}_{\text{E}} \leq 2 \\ & 0 \leq \text{C}_{\text{S}} \text{ - } \text{TR} \leq \infty \\ & 0 \leq \text{T}_{\text{S}} \text{ - } \text{TR} \leq \infty \end{array}$



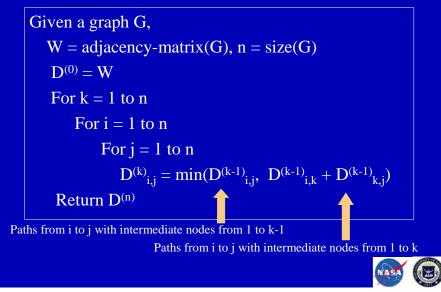


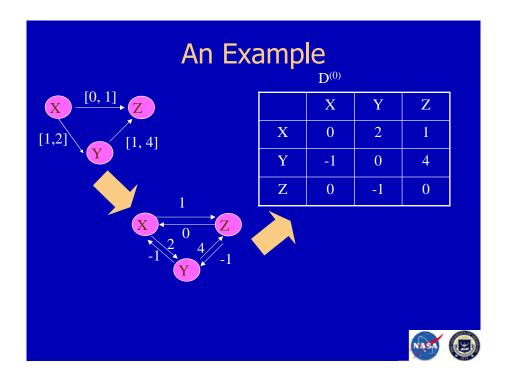


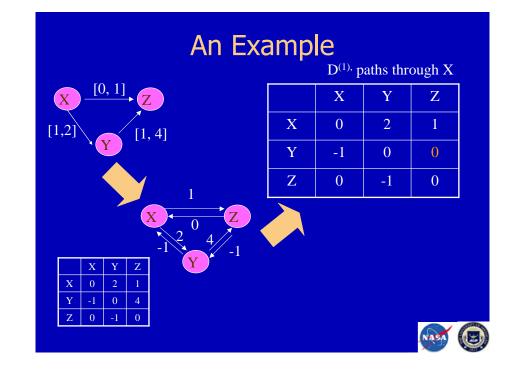


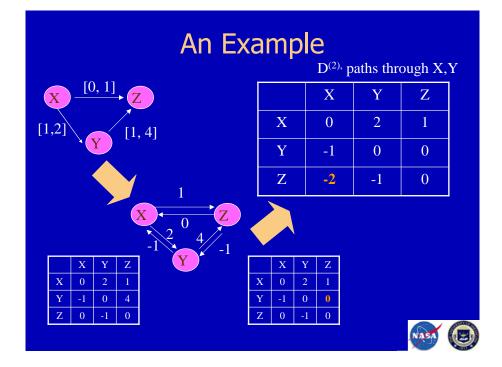


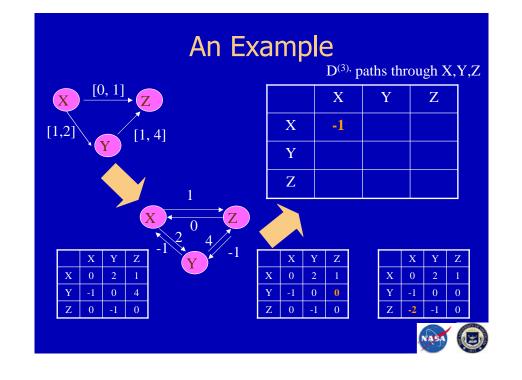
Floyd-Warshall Algorithm

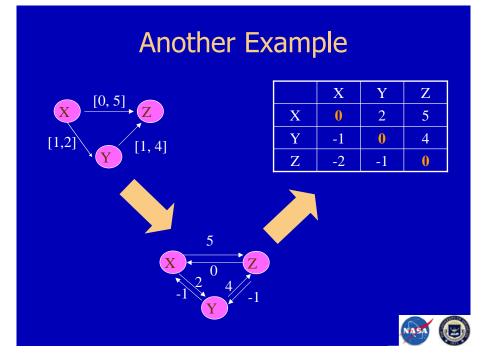


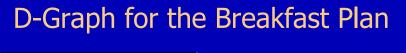




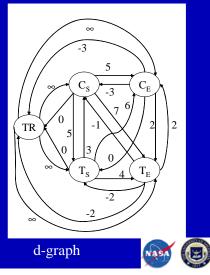


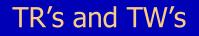




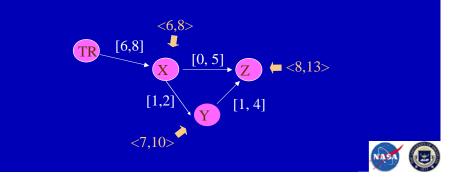


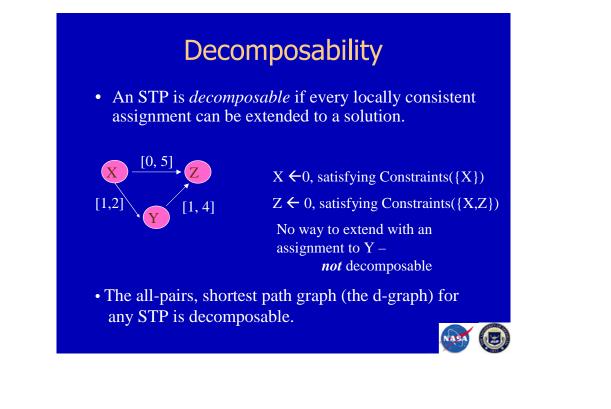
	TR	C_{S}	C_E	T_{S}	T_E
TR	0	~~~~~~~~~~~~~~~~~~~~~~~~~~~~~~~~~~~~~~~	~~~~~~~~~~~~~~~~~~~~~~~~~~~~~~~~~~~~~~~	~~~~~~~~~~~~~~~~~~~~~~~~~~~~~~~~~~~~~~~	~~~~~~~~~~~~~~~~~~~~~~~~~~~~~~~~~~~~~~~
C_{S}	0	0	5	5	7
C_E	-3	-3	0	0	2
T_{S}	0	3	6	0	4
T_E	-2	-1	2	-2	0
APSP Matrix					





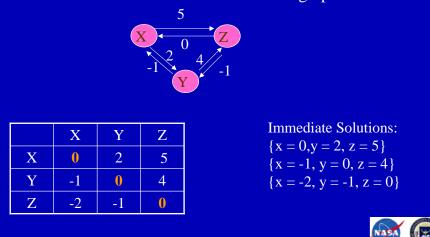
- Use a *Temporal Reference Point (TR)* to specify absolute clock times
- Compute the *Time Window (TW)* for every event *e* Minimal distance to/from *TR* (d_{TR.X},d_{X.TR})





Generating STP Solutions

• Can "read off" solutions from the d-graph

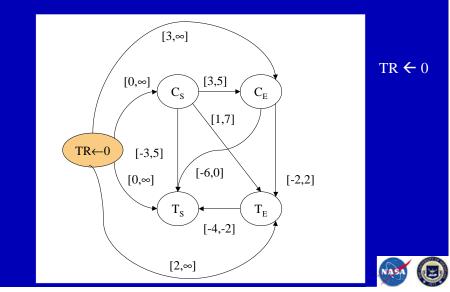


More generally...

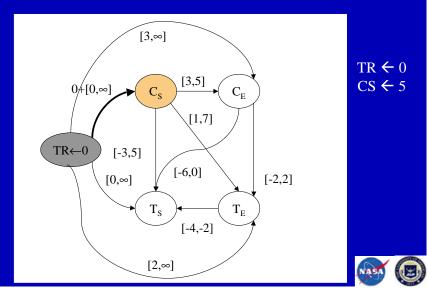
Exploit decomposability

- Construct the d-graph and order the nodes, $v_0, \ldots v_n$ (usually $v_0 = TR$)
- Select a value $x_0 \in TW(v_0)$
- Solution = { $v_0 \leftarrow x_0$ }
- For k = 2 to n
 - Propagate: $TW(v_k) = \bigcap_{i=1}^{k-1} (x_i + [-d_{k,i}, d_{i,k}])$
 - Select $x_k \in TW(v_k)$
 - $\text{ Solution} = \text{Solution} \cup \{ \underline{v}_k \leftarrow x_k \}$

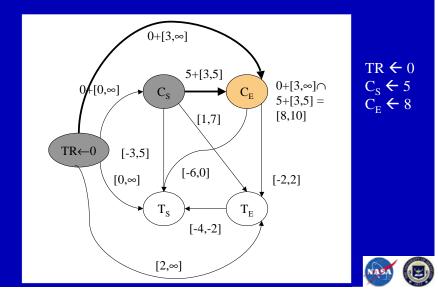
Solving the Breakfast STP I

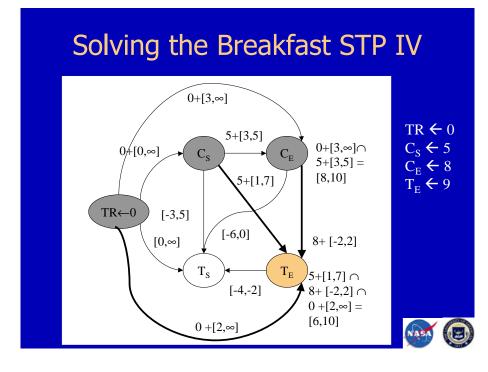




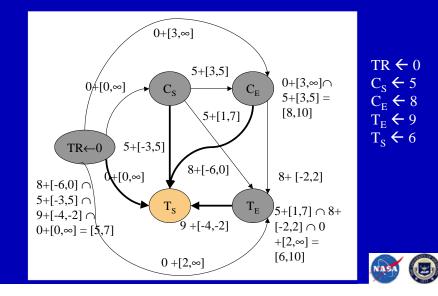


Solving the Breakfast STP III





Solving the Breakfast STP V





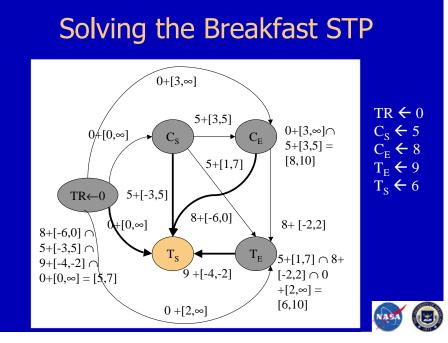
The Dispatch Problem

• Given a (set of) plan(s) with temporal constraints, decide when to execute each action so as to ensure that the constraints are satisfied.

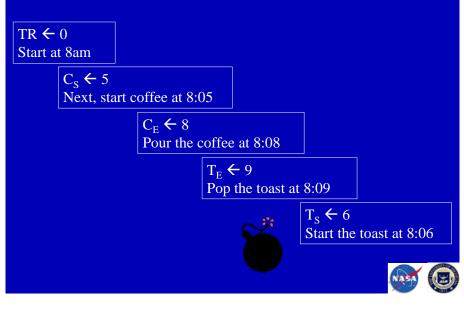


Naïve Dispatch Algorithm

- Use the STP solution algorithm to assign a value to a variable.
- Wait until that time occurs.
- Dispatch the event associated with that variable.



Naïve Dispatch Algorithm



Off-Line Dispatch

- Find a solution to the STP off-line
- Sort the variables in increasing temporal order
- Dispatch as each event as it "comes due"

Find solution TR $\leftarrow 0$, C_S $\leftarrow 5$, C_E $\leftarrow 8$, T_E $\leftarrow 9$, T_S $\leftarrow 6$ Sort: <TR, C_S, T_S, C_E, T_E> Then dispatch in order

On-Line Dispatch

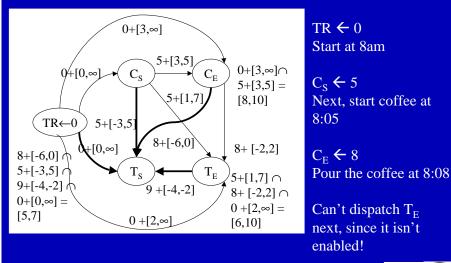
- Off-line dispatch is inflexible; can't handle "uncontrollable" events
- Key idea for on-line dispatch: only dispatch events that are
 - Live (it's currently within their time window), and
 - *Enabled* (all events that are constrained to occur earlier have already been dispatched)
 - Easy to recognize when Y must precede X: $D_{XY} < 0$, i.e., there's a negative edge starting at X



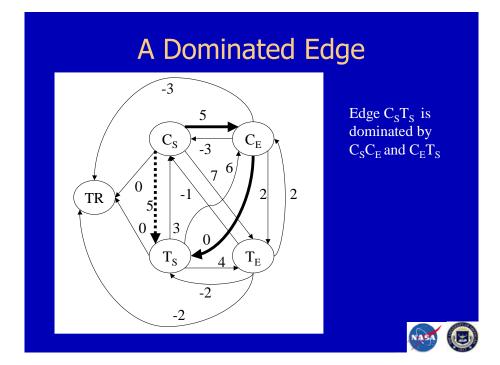
- 1. Compute the d-graph for the given STP
- 2. A \leftarrow {x | x has no outgoing negative edges} [x is initially enabled]
- 3. Pick and remove an event *e* from A such that $now \in TW(E)$
- 4. $S \leftarrow S \cup \{e\}$
- 5. Dispatch e and set execution-time(e) $\leftarrow now$
- 6. Propagate this assignment to the neighbors of e
- 7. $A \leftarrow A \cup \{x \mid \text{all negative edges starting at } x \text{ have destinations already in S} [x \text{ is enabled.}]$
- 8. Wait until *now* has advanced to some time between the minimum lower bound of a time window for a member of A and the minimum upper bound of a time window for a member of A.
- 9. Loop to (2) until every event is in S.



On-Line Dispatch of Breakfast

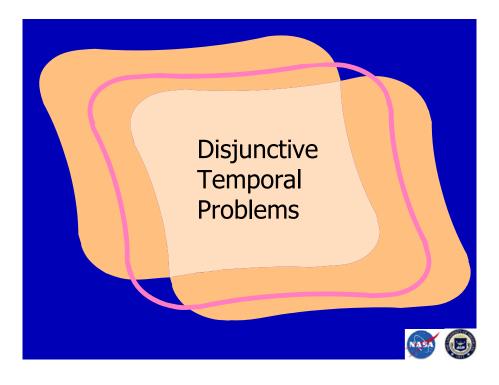


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Increasing Efficiency

- Can remove all the dominated edges off-line in O(n³) time, to create the *minimal equivalent dispatchable (MED)* network
- Dispatch is still O(n²) since in the worst case no edges may be removed
- But in practice may obtain significant speedup: NASA Remote Agent domain, 40-60% of original edges pruned



Real Plans often have Disjunctive Constraints

• Typical Plan for an Autominder User

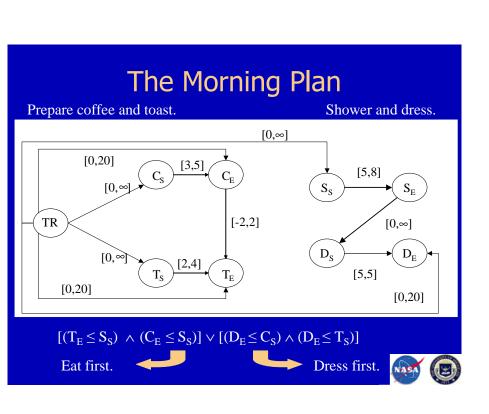
ACTION	TARGET TIME	
Start laundry	Before 10 a.m.	Activity disjunct
Put clothes in dryer	Within 20 minutes of washer ending	Watch the news at 10pm or 11pm
Fold clothes	Within 20 minutes of dryer ending	
Prepare lunch	Between 11:45 and 12:15	
Eat lunch	At end of prepare lunch	
Check pulse	Between 11:00 and 12:00, and between 3:00 and 4:00	Non-overlap: $L_E - P_S \le 0 \lor$ M $\downarrow = 0$
<i>Depending on pulse,</i> take meds	At end of check pulse	$M_{\rm E} - L_{\rm S} \le 0$

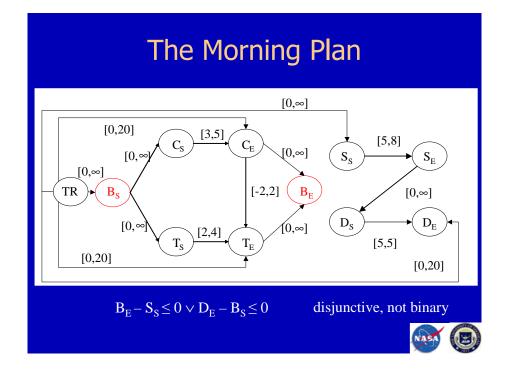
Activity disjunct: Vatch the news 10pm or 11pm

The Breakfast Plan (Version 3) Morning

Prepare coffee and toast. Have them ready within 2 minutes of each other. Brew coffee for 3-5 minutes; toast bread for 2-4 minutes. Also take a shower for 5-8 minutes, and get dressed, which takes 5 minutes. Be ready to go by 8:20.







Disjunctive Constraints

- Represent non-overlaps (as in our example)
- Can also represent other forms of disjunction
 - E.g., take a shower for 5 minutes or a bath for 10 minutes

Disjunctive Temporal Problems

• A set of time points (variables) V and a set of constraints C of the form:

 $lb_{ji} \leq X_i - X_j \leq ub_{ji} \vee \ldots \vee lb_{mk} \leq X_k - X_m \leq ub_{mk}$

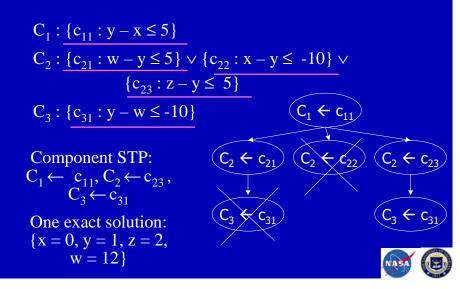
- Benefit: Additional expressive power
- Cost: Additional computational expense reasoning is NP-Hard
 - True even for *binary* problems, i.e., constraints have the form

 $lb_{ji} \leq X - Y \leq ub_{ji} \vee \ldots \vee lb_{mk} \leq X - Y \leq ub_{mk}$

DTPs as CSPs

- One-Level Approach
 - Direct assignment of times to DTP variables.
 - Limitations: difficult to deal with infinite domains; produces overconstrained solution
- Two-Level Approach
 - Construct a meta-level CSP
 - Variables: DTP constraints
 - Domains: Disjuncts from DTP constraints.
 - Constraints: Implicit, assignment must lead to a consistent component STP

DTP Solving Example

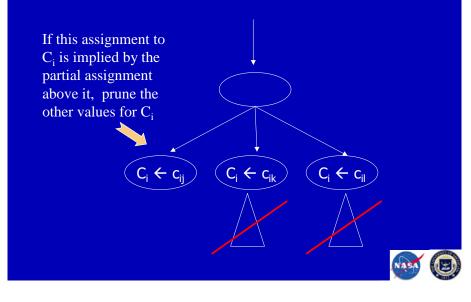


Strategies for Efficiency

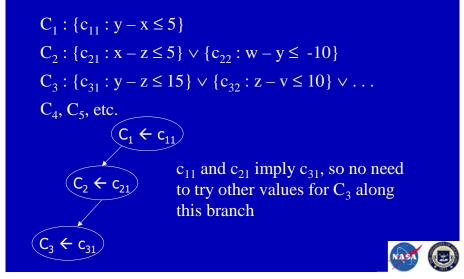
- Forward checking / incremental forward checking
- Conflict-directed backjumping
- Removal of subsumed variables
- Semantic branching
- No-good learning
- Use efficient SAT solvers for meta-level

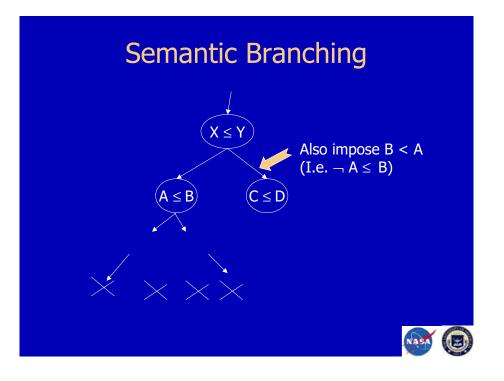


Removal of Subsumed Variables

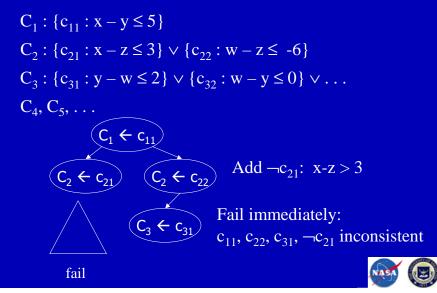


Removal of Subsumed Variables



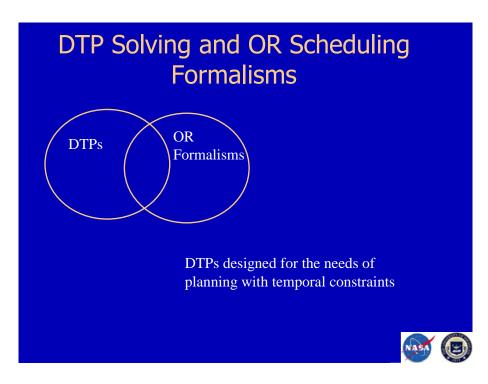


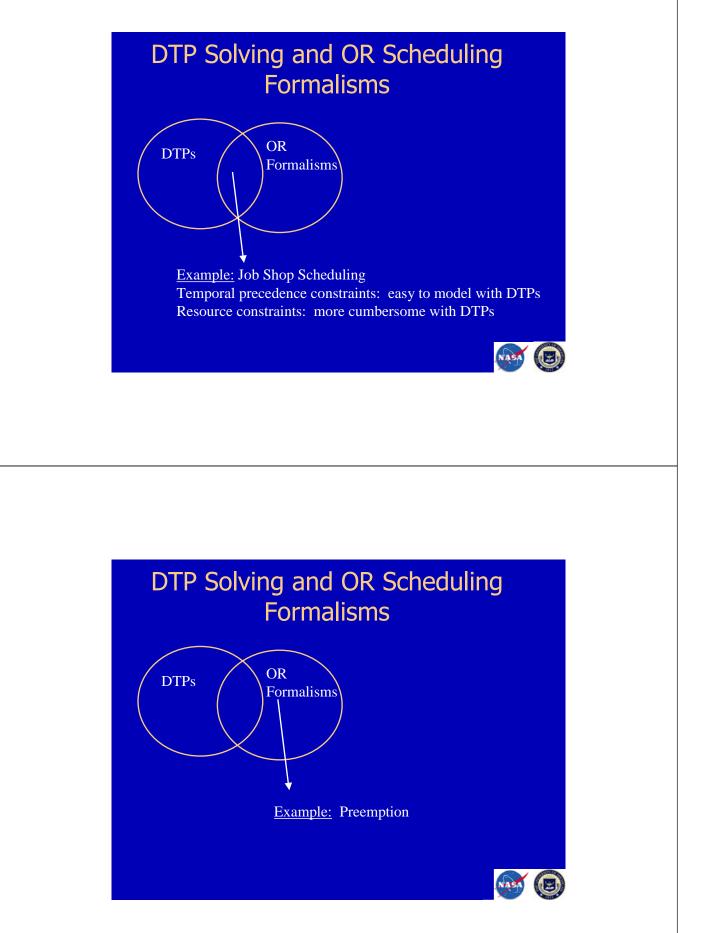
Semantic Branching

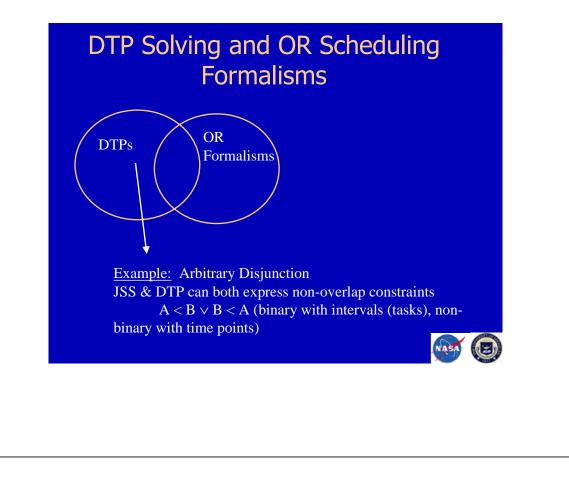


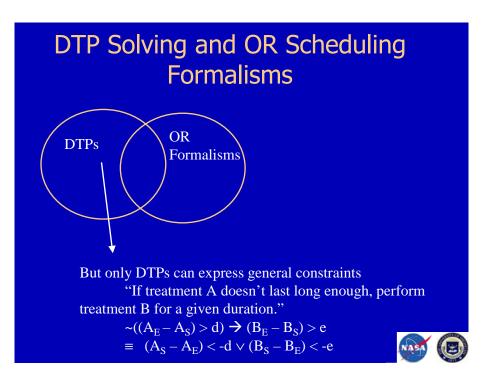
So, how fast?

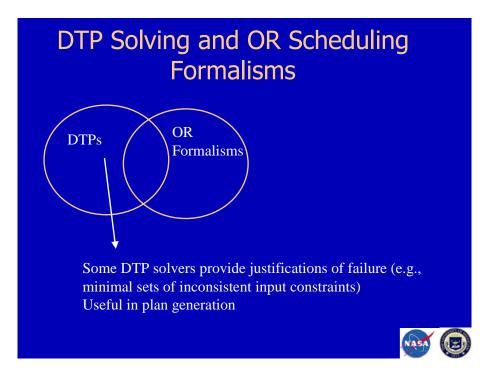
- Current fastest solver, TSAT++, reports:
 - ~10 seconds to solve problems with
 - 35 variables
 - ~210 disjunctive constraints (critical region)
 - Each with 2 disjuncts

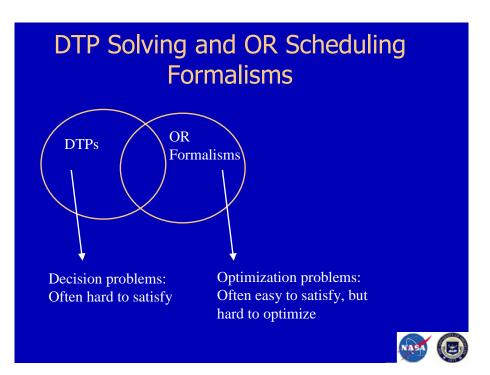


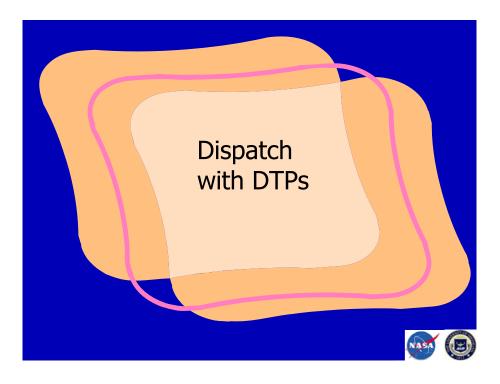












DTP Dispatch Method #1

- With total control of the execution process:
- Given a DTP, find a consistent component STP *S*
- Dispatch S using STP dispatch algorithm

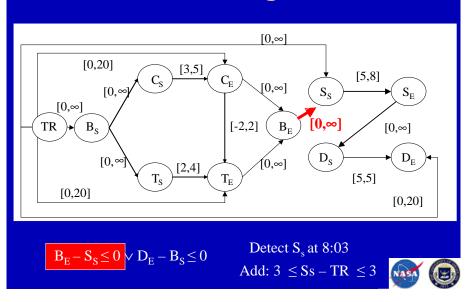
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DTP Dispatch Method #2

- With partial control of the execution process (e.g., in execution monitoring)
- Given a DTP, find a consistent component STP S
- While no events inconsistent with S occur

 Dispatch S using STP dispatch algorithm
- Otherwise, if event *e* occurs at time *t* that is inconsistent with *S*
 - Add an execution constraint, $t \le e \text{TR} \le t$
 - Find a new consistent component STP S-

The Morning Plan



<text><list-item><list-item><list-item><list-item><list-item><list-item> A Problem Might "miss" a solution X = 2 ~ X = 1 Y = 3 ~ Y = 2 Y > X Ono't see anything at 1 See Y at 2 Al remaining consistent constant cons

DTP Dispatch Method #3

- Produce information about what *can be done*
 - Execution Table
 - Specifies what actions are live and enabled (what can be done)
 - An event *e* in a DTP is live iff *now* is in its time window
 - An event *e* in a DTP is enabled iff it is enabled in at least one consistent component STP
- And what *must be done*
 - Deadline Formula
 - Specifies what deadline must be satisfied next (what must be done)

Example

- C_1 : { c_{11} : $5 \le x TR \le 10$ } \lor { c_{12} : $15 \le x TR \le 20$ }
- C₂: {c₂₁: $5 \le y TR \le 10$ } \lor {c₂₂: $15 \le y TR \le 20$ }
- $C_3: \{c_{31}: 6 \le x y \le \infty\} \lor \{c_{32}: 6 \le y x \le \infty\}$
- C₄: { c_{41} : 11 ≤ $z TR \le 12$ } ∨ { c_{42} : 21 ≤ $z TR \le 22$ }

Consistent Component STPs:

- 1. STP1: c_{11} , c_{22} , c_{32} , c_{41} x before y, z early
- 2. STP2: c_{11} , c_{22} , c_{32} , c_{42} x before y, z late
- 3. STP3: $c_{12}, c_{21}, c_{31}, c_{41}$ y before x, z early
- 4. STP4: c_{12} , c_{21} , c_{31} , c_{42} y before x, z late

Example

 $\begin{array}{l} C_1: \ \{c_{11}: \ 5 \leq x - TR \leq 10\} \lor \{c_{12}: \ 15 \leq x - TR \leq 20\} \\ C_2: \ \{c_{21}: \ 5 \leq y - TR \leq 10\} \lor \{c_{22}: \ 15 \leq y - TR \leq 20\} \\ C_3: \ \{c_{31}: \ 6 \leq x - y \leq \infty\} \lor \ \{c_{32}: \ 6 \leq y - x \leq \infty\} \\ C_4: \ \{c_{41}: \ 11 \leq z - TR \leq 12\} \lor \{c_{42}: \ 21 \leq z - TR \leq 22\} \end{array}$

Execution Table:

<x, {[5,10], [15,20]}> <y, {[5,10], [15,20]}> Enabled events and their time windows

Deadline Formula: $\langle x \lor y, 10 \rangle$

CNF formula that must be satisfied "next"

Dispatch Method

- Computing the Execution Table:
 - Find all enabled events
 - Compute their time windows in every consistent component STP
- Computing the Deadline Formula:
 - Find the next time at which some event must occur
 - Find all events that *might* have to occur by that time point
 - Compute the minimal event sets that would ensure that not all remaining consistent component STPs are eliminated



Generating the Deadline Formula

Generate-DF (Solutions: STP [i])

- Let U = the set of upper bounds on time windows, U(x,i) for each still unexecuted action x and each STP i.
- Let NC, the next critical time point, be the value of the minimum bound in U.

Let $U_{MIN} = \{U(x, i) | U(x, i) = NC\}.$

For each x such that $U(x,i) \in U_{MIN}$, let $S_x = \{i \mid U(x,i) \in U_{MIN}\}$ Initialize F = true:

For each minimal solution MinCover of the set-cover problem (Solutions, $\cup S_x$), let $F = F \land (\lor x \mid S_x \in MinCover x)$. Output DF = <F, NC>.



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Consistent Component STPs: STP1: c11, c22, c32, c41 STP2: c11, c22, c32, c42 STP3: c12, c21, c31, c41 STP4: c12, c21, c31, c42 U(x,1) = U(x,2) = 10 U(x,3) = U(x,4) = 20 U(y,1) = U(y,2) = 20 U(y,3) = U(y,4) = 10 U(z,1) = U(z,3) = 12U(z,2) = U(z,4) = 22

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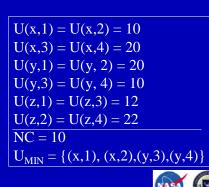
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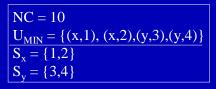
Example

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Consistent Component STPs:

STP1: c11, c22, c32, c41 STP2: c11, c22, c32, c42 STP3: c12, c21, c31, c41

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Example

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$$S_{x} = \{1, 2\}$$

$$S_{y} = \{3, 4\}$$

$$MSC(\{1, 2, 3, 4\}, \{S_{x}, S_{y}\}) = \{S_{x}, S_{y}\}$$

$$F = x \lor y$$

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Larger Deadline Formula

- Suppose
 - 4 consistent component STPs
 - NC = 10
 - U (x, 1) = U (x, 2) = U (y, 3) = U (y, 4) = U (z, 4) = U(w, 3) = 10
- The minimal set covers are
 - $\{S_x, S_y\}$ and $\{S_x, S_w, S_z\}$
- So the deadline formula is

 $-~(x \lor y) \land (x \lor z \lor w)$

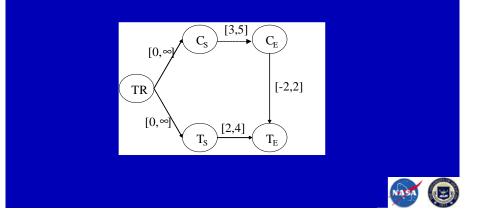
The Dispatch Bottleneck

- Requires computation of *all* component STPs
- May be exponentially many of them
- Open Research Question: Can we identify "representative" sets of component STPs?



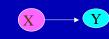
Breakfast Again

• You don't really get to control how long the coffee brews (but you can pop the toast at any time).



Handling Temporal Uncertainty

- TP-u (e.g., STP-u)
- Distinguish between two kinds of events:
 - Controllable: the executing agent controls the time of occurrence
 - Uncontrollable: "nature" controls the time of occurrence



 \mathbf{X}

----**Y**

Controllable edge (Y controllable event)

Uncontrollable edge (Y uncontrollable event)

Three Notions of "Solution"

- *Strongly Controllable*: There is an assignment of time points to the controllable events such that the constraints will be satisfied regardless of when the uncontrollables occur.
- One (or more) solutions that work no matter what!



Three Notions of "Solution"

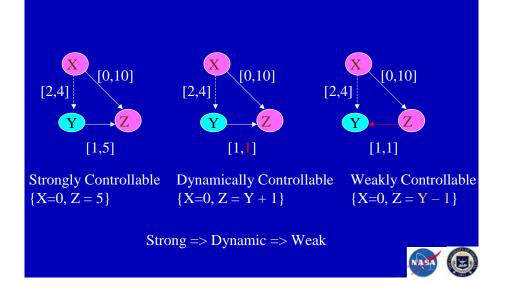
- *Weakly Controllable*: For each outcome of the uncontrollables, there is an assignment of time points to the controllables such that the constraints are satisfied.
- One (or more) solutions that work for each outcome.

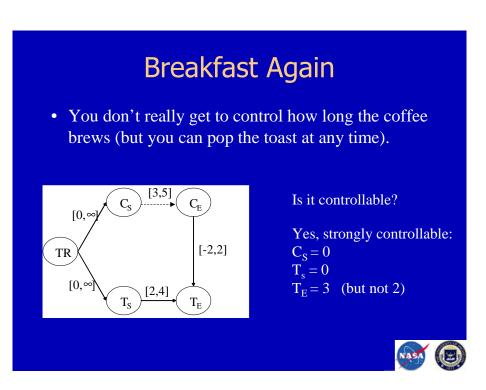
Three Notions of "Solution"

- *Dynamically Controllable*: As time progresses and uncontrollables occur, assignments can be made to the controllables such that the constraints are satisfied.
- Solutions that are guaranteed to work can be created conditionally to observations.



Controllability in STP-u's





Controllability and Observability

- Different notions of controllability make different assumptions about what can be observed
- *Strong Controllability:* uncontrollable events cannot be observed and consistency must be guaranteed
- *Dynamic Controllability:* uncontrollable events can be observed and consistency must be guaranteed
- *Weak Controllability:* "I'm feeling lucky"... and luck will always be in a position to help achieve consistency

Controllability and Dispatchability

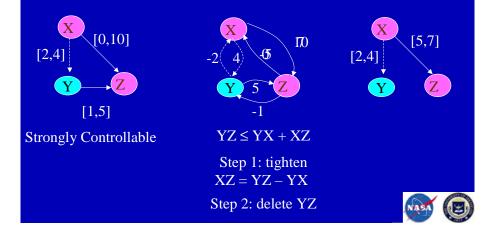
- Controllability: defines policies to determine times for controllable events depending on knowledge of uncontrollable events occurrence
- Dispatchability: identifies effective propagation paths such that knowledge on the execution of an event constrains the possible execution times for other events

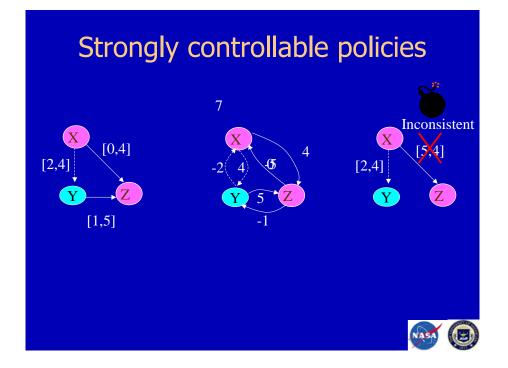
Execution Policies

- Controllability definition emphasizes existence of solutions
- At execution time we need policies to make decision as a function of our knowledge
 - Clock time
 - Observation of event occurrence (if possible)
- Like in the case of STPs, provide ways to determine bounds and repropagation methods to create solutions on the fly



•We need to come up with policies assuming no knowledge about the uncontrollable event •Solution: disconnect any dispatchable link from the event



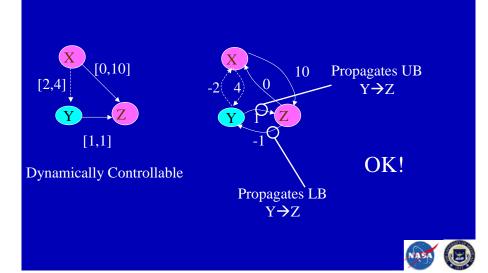


Pseudo-Controllability

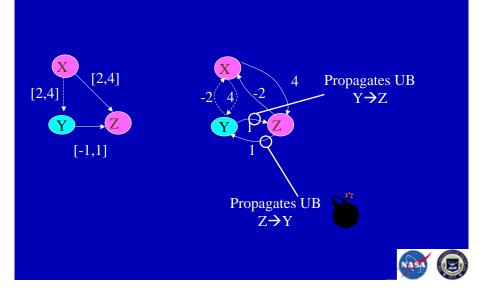
- The upper and lower bounds of an uncontrollable event are not necessarily propagated outside of the uncontrollable link (no *necessary tightening* of uncontrollable links) ^(C)
- Bound propagation can originate from an uncontrollable event because we can have knowledge of its occurrence... ☺
- ... but during execution there can be executions that propagate *into* the uncontrollable event tighter bounds than the uncontrollable link (*possible tightening* of the uncontrollable links) ⊗



Pseudo-controllable policies



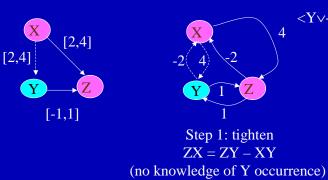
Pseudo-controllable policies



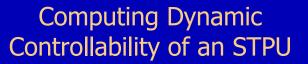
Tightening of controllable links

<<u>Y</u>\-3>

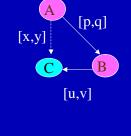
Δ



Step 2: Add conditional stop If Y has occurred, then Z can

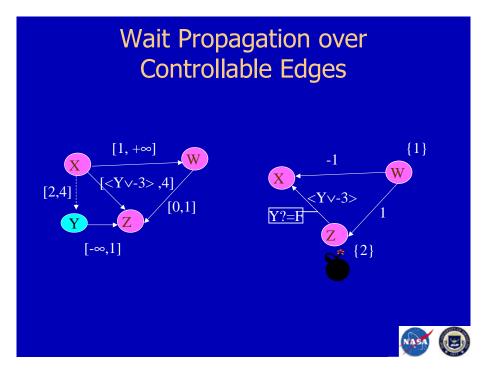


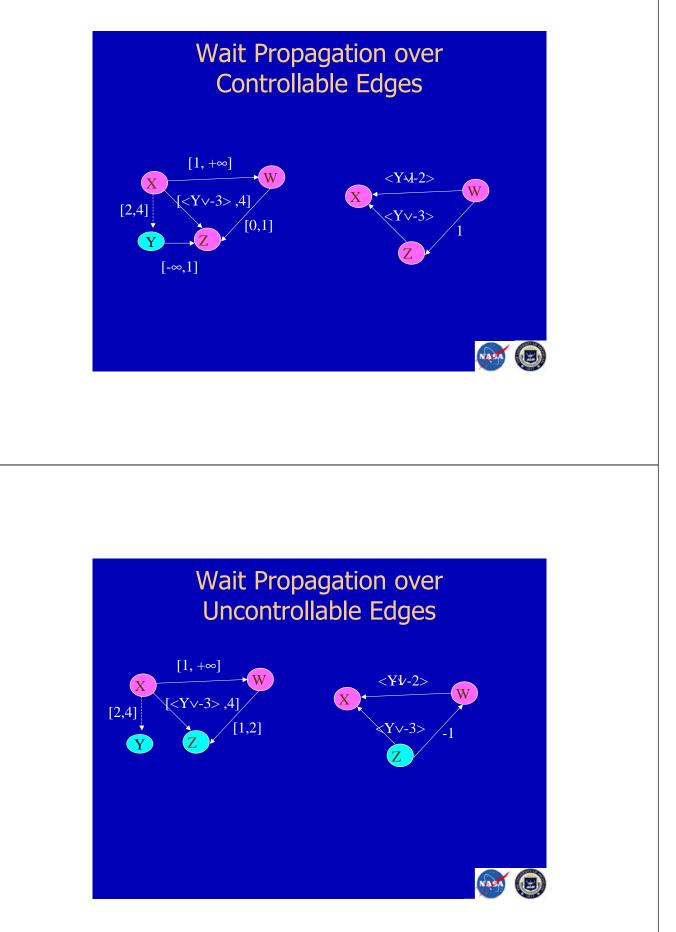
- Use triangular reductions
- Case 1: v < 0
 - B follows C, so d.c.
- Case 2: $u \ge 0$
 - B precedes C: tighten AB to [y-v, x-u] to make d.c.
- Case 3: u < 0 and $v \ge 0$
 - B is unordered w.r.t C: tighten lower bound of AB to (C or y-v) to make d.c.
- Iterate on the entire network



Wait Propagation Rules

- "Wait links" are a new type of "partially uncontrollable" link
- If they are present, they cause execution to be contingent on the occurrence of events
- Unlike uncontrollable links, they can be eliminated through tightening





Full Dynamic Controllability Algorithm

Loop

J

Compute pseudo-controllability of network;

- if (network is inconsistent or not-pseudo controllable) return "NON DYNAMICALLY CONTROLLABLE"
- if (network is pseudo-controllable)
 - For all ABC triangles in the temporal network perform all applicable tightenings (triangular reductions and wait regressions) if no tightening were performed
 - return "DYNAMICALLY CONTROLLABLE"

Termination Condition

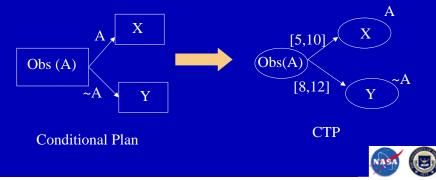
- Without further analysis, the algorithm is pseudopolynomial
 - Pseudo-controllability: O(NE + N²log N)
 - Tightening: O(N³)
 - Number of repetition of cycle: U, number of time units in widest time bound
- Complexity: O(U N³)
- U could be very large

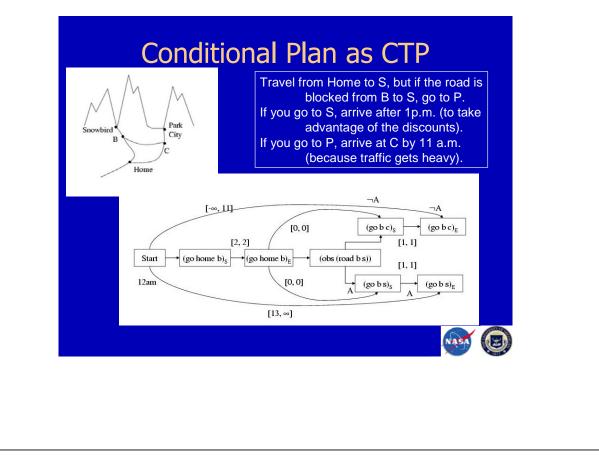
Cutoff bound

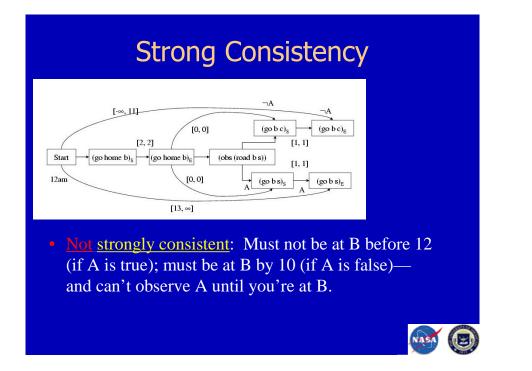
- Since the number of edges is finite, indefinite tightening is due to the existence of propagation cycles
- Cycle traversal must repeat after a maximum number of propagation (as in the Bellman-Ford algorithm for shortest paths
- Cutoff bound for dynamic controllability:
 - O(NK) with K = number of non-controllable links
- Cutoff on the number of cycles gives O(KN⁴) complexity bound.

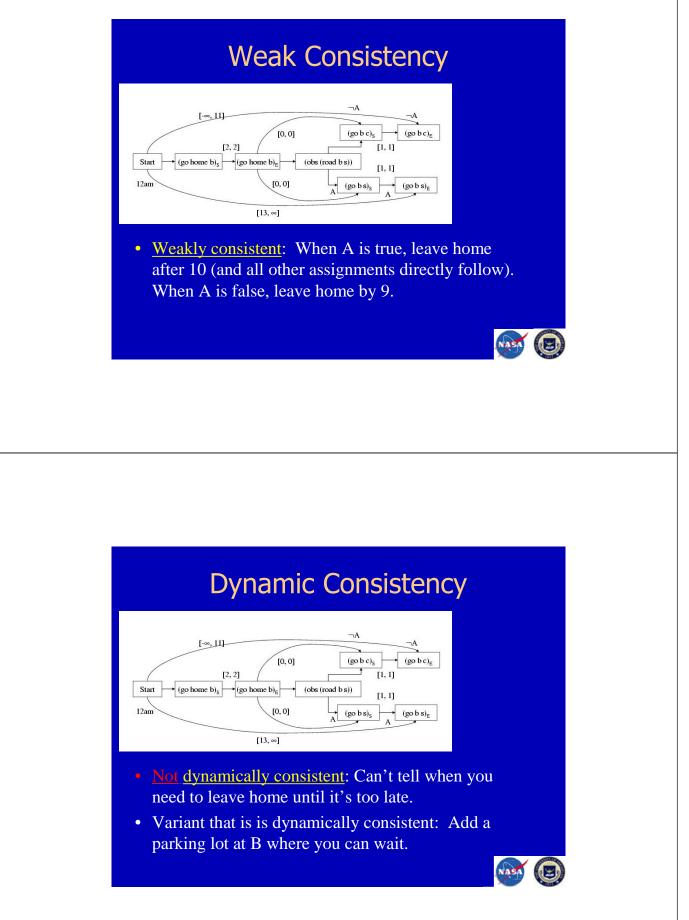
Handling Causal Uncertainty

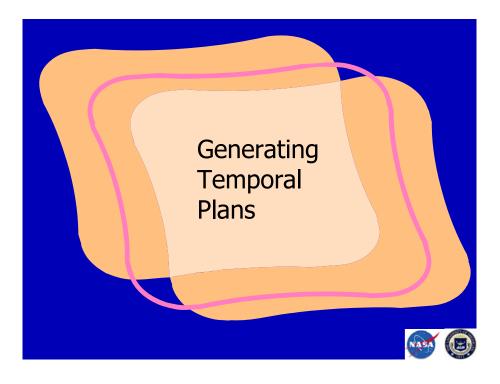
- CTP (e.g., CSTP)
- Label each node—events are executed only if their associated label is true (at a specified observation time)











Generating Temporal Plans

- Various models have been developed, dating back to the early 1980's (DEVISER)
- Beginning to see a convergence in the *Constraint-Based Interval* approach
- Model the world with
 - Attributes (features): e.g., coffee
 - Values that hold over intervals: e.g., brewing
 - Times points that bound the intervals: e.g., b_{i} , b_{e}
 - Axioms that relate the values



NAT

Features and Values

<u>Feature</u>	Domain of Values
Coffee	none, brewing, ready, stale
Bread	untoasted, toasting, toast
Toaster-Status	on, off
Toaster-Contents	empty, full
Showering	yes, no
Bathing	yes, no
Clean	yes, no
Dressed	no, dressing, yes
Location	at(X), going(X,Y)

Temporally Quantified Assertions

- Each feature takes a *single* value at a time, i.e. formally there are a set of functions f_i(feature_i, time_j) → value_{i,j} where value_{i,j} ∈ domain(feature_j)
- Temporally qualified assertions (tqa's or just "assertions"): holds (coffee, 8:03, 8:05, brewing) holds (toaster-content, X, Y, empty)

• Uniqueness Constraints: holds(F,s,e,P) \land holds(F,s',e',Q) \rightarrow [e < s' \lor e' < s \lor P = Q]

Planning Axioms

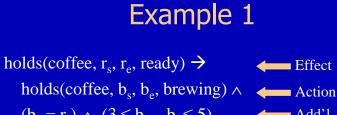
- Used to model actions
- Basic form
 Effect →

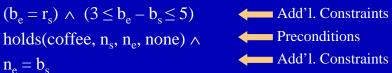
 (Action 1 ∧ Preconditions1 ∧ Constraints1) ∨

 (Action 2 ∧ Preconditions2 ∧ Constraints2) ∨

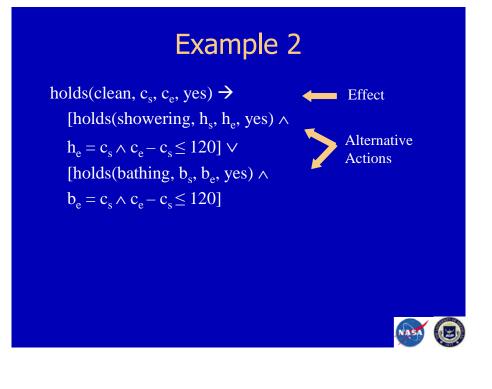
 (Action n ∧ Preconditionsn ∧ Constraintsn)

 Can also partition the knowledge differently
 And can also use axioms to model other types of
- And can also use axioms to model other types of constraints (e.g., mutual exclusion)





Can also split out into two axioms Effect → Action Action → Preconditions

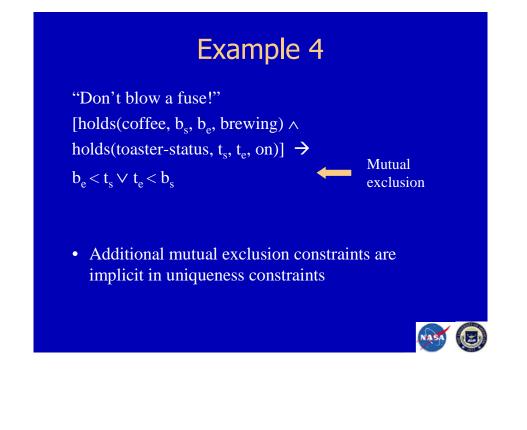


Example 3

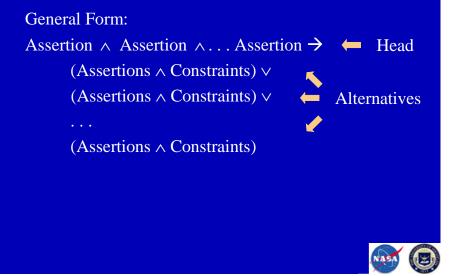
holds(bread, r_s , r_e , toasting) \rightarrow holds(toaster-status, t_s , t_e , on) \land $t_s = r_s \land t_e = r_e$ holds(toaster-contents, c_s , c_e , full) \land $c_s \le r_s \land r_e \le c_e \land$ More "interesting" temporal constraints

Tutorial on Temporal and Resource Reasoning for Planning, Scheduling and Execution

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Planning Axioms



The Planning Problem

- Given a set of features and their domain, a (partial) plan is
 - a set of assertions on those features and
 - a set of constraints on the time points of the assertions
- A solution is
 - a complete assignment of values to features
 - such that all of the constraints are satisfied

The Initial Partial Morning Plan

	assertions	<u>constraints</u>
Coffee	$ready(r_s, r_e)$	$2 \leq r \leq 2$
Bread	$toast(t_s, t_e)$	$-2 \le r_e - t_e \le 2$ $r_e - TR \le 500$
Toaster-status		$t_e - TR \le 500$
Toaster-contents		$d_e - TR \le 500$
Clean		
Showering		
Bathing		
Dressed	$yes(d_s, d_e)$	

Expanding a Plan

- Select an assertion
- Find all the axioms that *apply* to it
- For each of those axioms
 - Choose an alternative (one disjunct in the tail of the axiom)
 - Ensure that the assertions and constraints in the chosen disjunct are in the plan, either by adding them or unifying them with assertions and constraints already present

Applicable Axioms

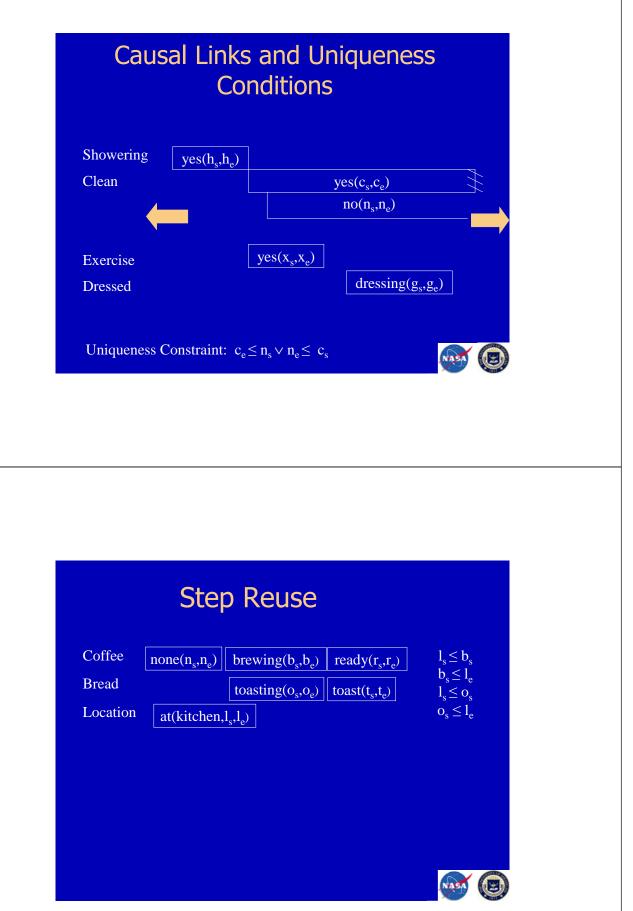
- Given
 - plan P
 - assertion A and
 - axiom M: $X_1 \wedge \ldots X_n \rightarrow$ r.h.s.
- M applies to A if
 - For some i, unify $(X_i, M) = \theta$, and
 - For all j = 1...n s.t. $j \neq i$, unify $(X_j, B) = \theta$ where
 - (i) θ ' is an extension of θ , and
 - (ii) B is an assertion in P

Expanding the Initial Plan I

				$-2 \le r_e - t_e \le 2$
Coffee	$none(n_s, n_e)$	brewing (b_s, b_e)	$ready(r_s, r_e)$	$\begin{array}{l} r_{e}-TR \leq 500 \\ t_{e}-TR \leq 500 \end{array}$
Bread			$toast(t_s, t_e)$	d_e -TR ≤ 500
Toaster-st	atus			$b_e = r_s$
Toaster-co	ontents			$3 \le b_e - b_s \le 5$
rouster et	Sincernes		1 11 ($n_e = b_s$
Clean				coffee, r_s , r_e , ready) \rightarrow
Showering				fee, b_s , b_e , brewing) \land
		$(\mathbf{b}_{\mathrm{e}} = \mathbf{r}_{\mathrm{s}}) \land (3 \le \mathbf{b}_{\mathrm{e}} - \mathbf{b}_{\mathrm{s}} \le 5)$		
Bathing			holds	$(coffee, n_s, n_e, none) \land$
Dressed			yes(d	$n_e = b_s$
				e

Expanding the Initial Plan II

					$-2 \le r_e - t_e \le 2$
Coffee	none(n _s ,n _e) brew(b	s,b _e)	$ready(r_s, r_e)$	$r_{e} - TR \le 500$ $t_{e} - TR \le 500$
Bread	t	oasting(o	.,0 _e)	$toast(t_s, t_e)$	d_e -TR ≤ 500
Toaster-s			3. 07		$b_e = r_s$
Toaster-c	ontents				$3 \le b_e - b_s \le 5$
1 Oaster-e	ontents				$n_e = b_s$
Clean		ye	s(c _s ,c		$o_e = t_s$
Showerin	g yes(h	h)		<u>.</u>	$g_e = d_s$
		s,e/			$g_s \le c_e$
Bathing					$h_e = c_s$
Dressed			dre	$ssing(g_s, g_e)$	$yes(d_s, d_e)$
					$c_e - c_s \le 120$
					M (B

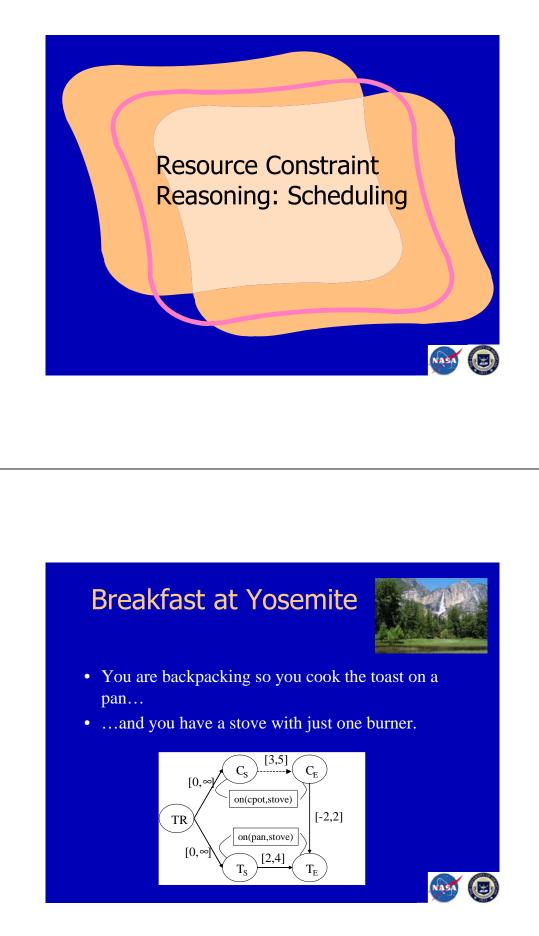


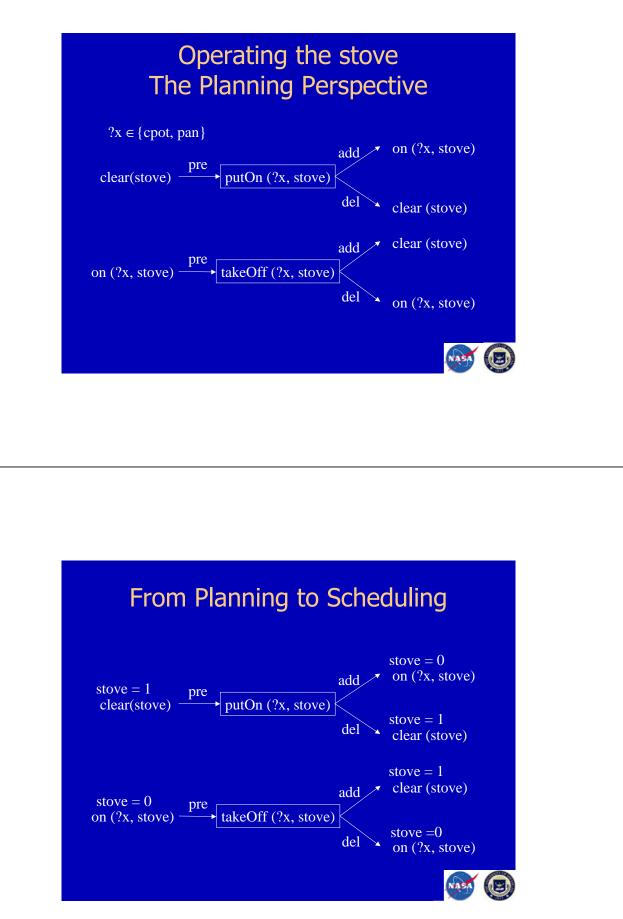
Underlying Constraint Network

- The temporal constraints form a DTP
- Technically, a dynamic DTP, since time points are added incrementally
- Use DTP techniques to check consistency efficiently

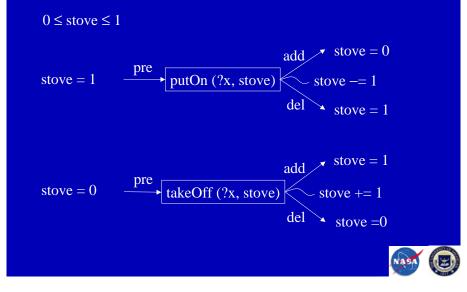
CBI Planning Algorithm

Unchecked, Assertions ← initial assertions
Expand (Unchecked, Assertions, Constraints, Axioms)
If Constraints are inconsistent, fail.
If Unchecked = Ø, return <Assertions, Constraints>.
Select u ∈ Unchecked
For every axiom X ∈ Axioms that applies to u
Choose an alternative d from X {d is the result of the unification that causes X to be applicable}
For each assertion s ∈ d
Choose:
Reuse: Unify s with an assertion in Assertions New: Add s to Assertions and Unchecked
Add constraints c ∈ d to Constraints
Expand(Unchecked, Assertions, Constraints, Axioms)

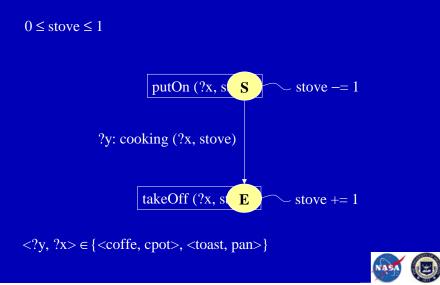


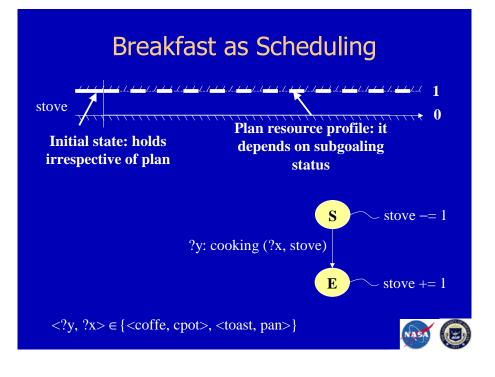


From Planning to Scheduling



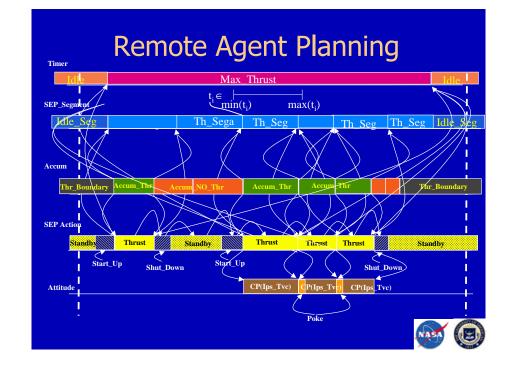
From Planning to Scheduling

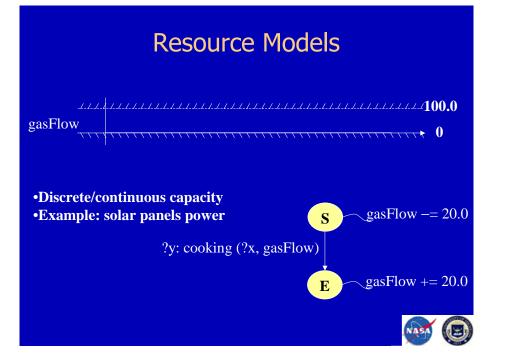


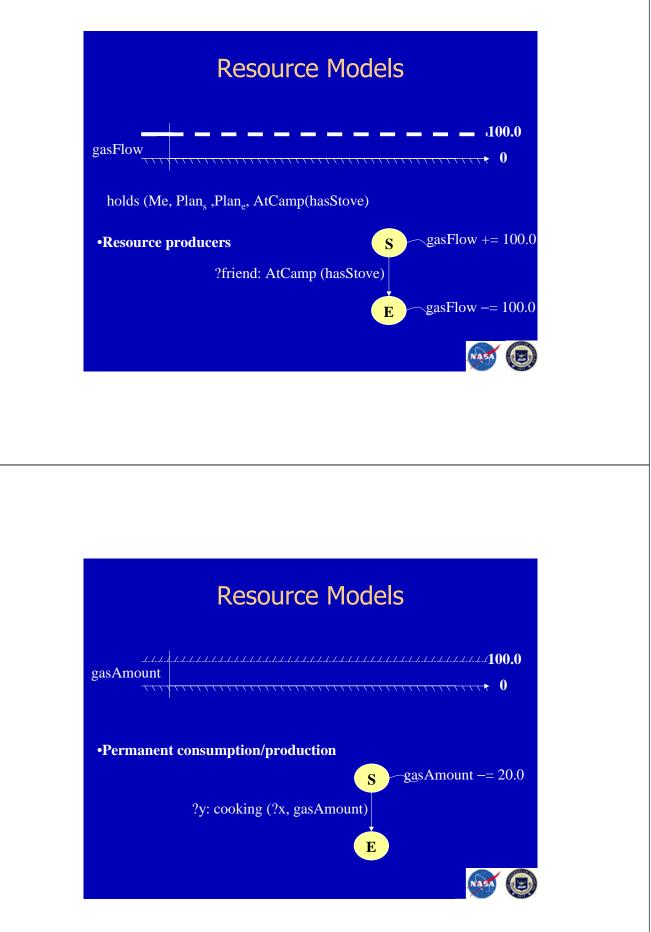


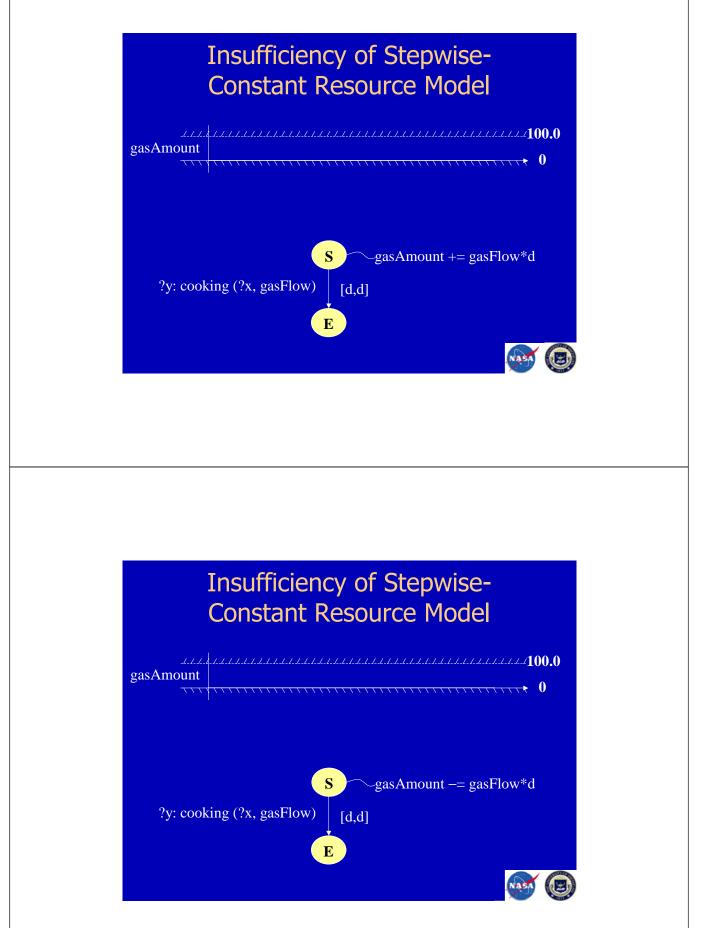
A View of Planning and Scheduling

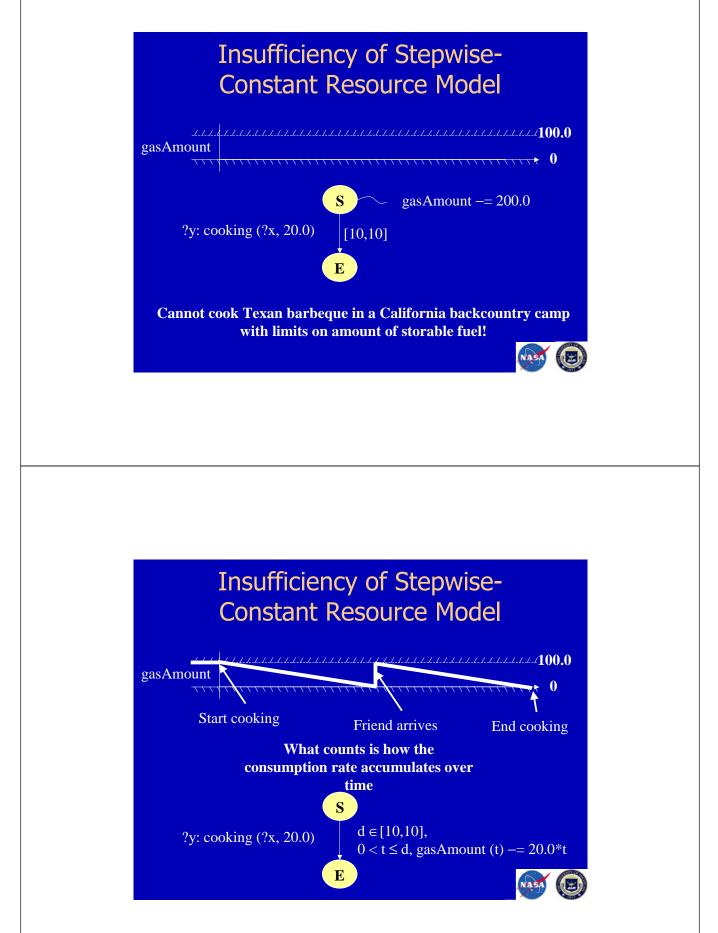
- Planning primarily focuses on constructing a consistent evolution of the world (states and transitions)
- Scheduling almost entirely focuses on handling mutual exclusion and deadlines
- ...but since the beginning planning was also addressing scheduling – flaws can be often seen as scheduling conflicts
- Graphplan and mutual exclusions implicitly brought this concept to the forefront





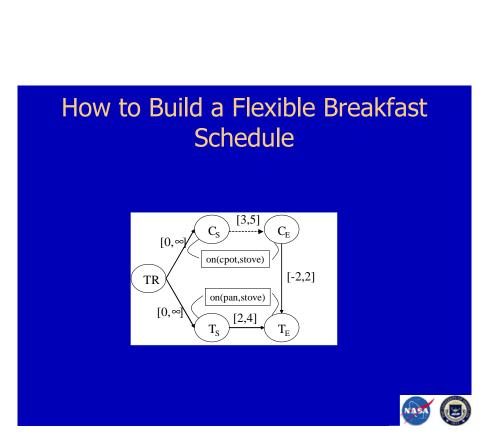




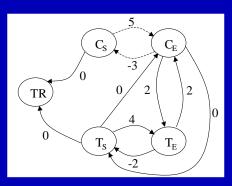


Flexibility in Plans/Schedules

- After a plan is executed, all variables (time, parameters) will be set to specific values
- Potential execution strategy: select the fixed values in advance and simply send them to the controlled device at the appropriate time.
- Worked reasonably well for spacecraft like Voyager.
- Not a lot is happening in the vacuum of space, though...
- Fundamental obstacles in the real world
 - Uncontrollability
 - Unobservability
- Two possible strategies
 - Flexible policies
 - "Fix values and repair"



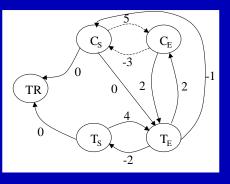
How to build a flexible schedule



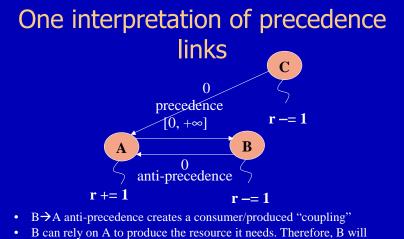
Can we start making the toast after the coffee is brewed? YES

NAS

How to build a flexible schedule



Can we start brewing the coffee after the toast is ready?

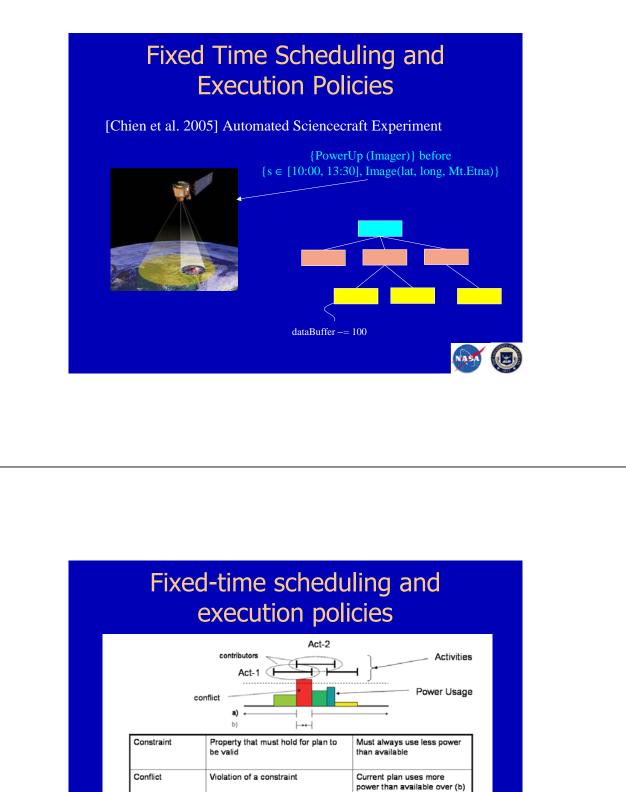


- never cause a resource oversubscription
- With the addition of $C \rightarrow A$, C and B compete to "match" with A
- Introducing "coupling" links and managing actual "matches" is what a flexible scheduling algorithm really does

PCP scheduling

- [Cheung and Smith, 1997] use scratch propagation for unary capacity makespan optimization job-shop scheduling
- Scratch propagation can be done using Dijkstra algorithm from each end time to the start times on the same resource
- Scratch propagation cost: O(N²logN) but can terminate early when all starts on same resource have been reached
- Incremental propagation achieves better speed
- Three cases for each pair of activities:
 - Inconsistency: no ordering is possible
 - Pruning: only one ordering is possible
 - Heuristic selection: if both orders are possible, select one according to a heuristic (e.g., maximum slack)
- Heuristic selection pair to resolve next is determined by a heuristic (e.g., minimum average slack)
- Search methods
 - Iterative Sampling with randomization





Modification to plan that may remove

Which activity to delete

conflict

Delete activity using power

NAS

during conflict (b)

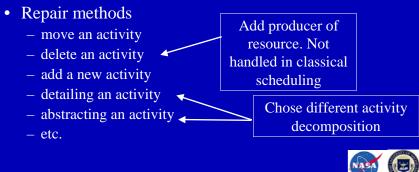
Delete largest user?

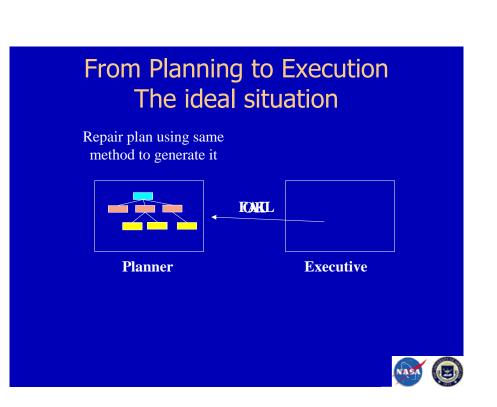
Repair Method

Repair Choice

Conflict Repair Methods

- Use a repair method to eliminate a conflict
- ASE uses a planner, not just a scheduler.
- Hence it is possible to generate new activities or select different task decompositions





Comparison of Flexible and Fixed Policies (1)

- Fixed policies
 - Pros
 - Simple and intuitive to implement
 - It is easier to think of heuristics based on resource profiles
 - More compact data structures
 - Less costly propagation
 - Cons
 - Plan does not give "declarative" measure of robustness
 - Execution repair is fundamental to robustness
 - A full plan repair process may be too expensive at execution time
 - ASE has only 4 MIPS available

Comparison of Flexible and Fixed Policies (2)

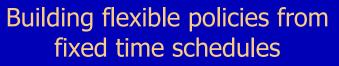
- Flexible policies
 - Pros
 - Plan guarantees measure of robustness
 - Flexible policies break less often
 - Execution time adjustments are intrinsically fast (propagation vs planning)
 - Cons
 - More complex
 - But complexity and computational expenses mostly affect off-line planning
 - Actual value of flexibility is only as good as the semantics of the representation
 - ... and this is why you are taking this tutorial!

From Planning to Execution What actually happens on ASE





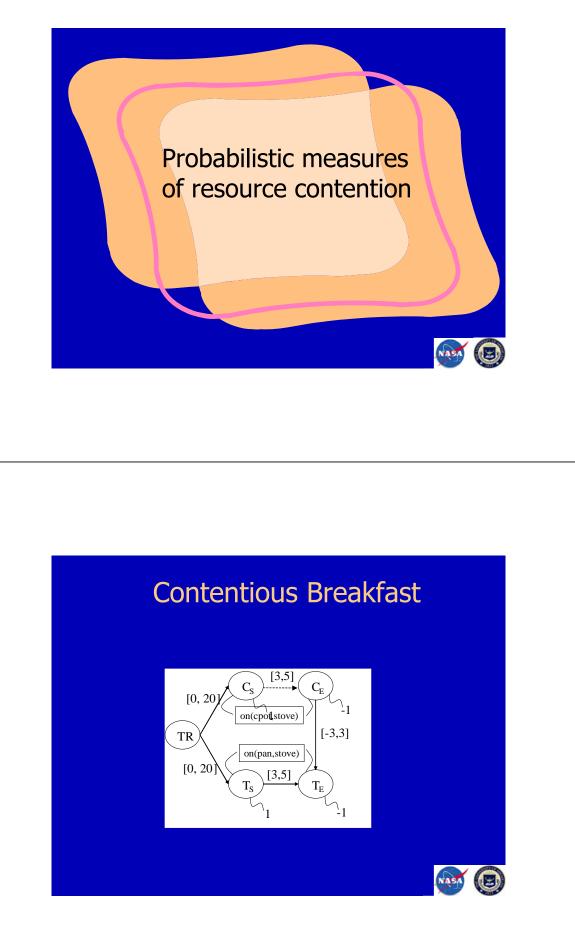
- Planner's detailed command expansion finds a "witness" to plan consistency
- If failures propagates at the highest activity level, this is a major problem
- Eliminating top-level failure requires careful tuning of "abstraction"
- Differences in internal planner/executive representations pushes toward conservatism to avoid mismatches and inconsistencies (it happened in Remote Agent...)
- Therefore, robustness is achieved at design time through careful modeling
- Flexible representations could help that design process

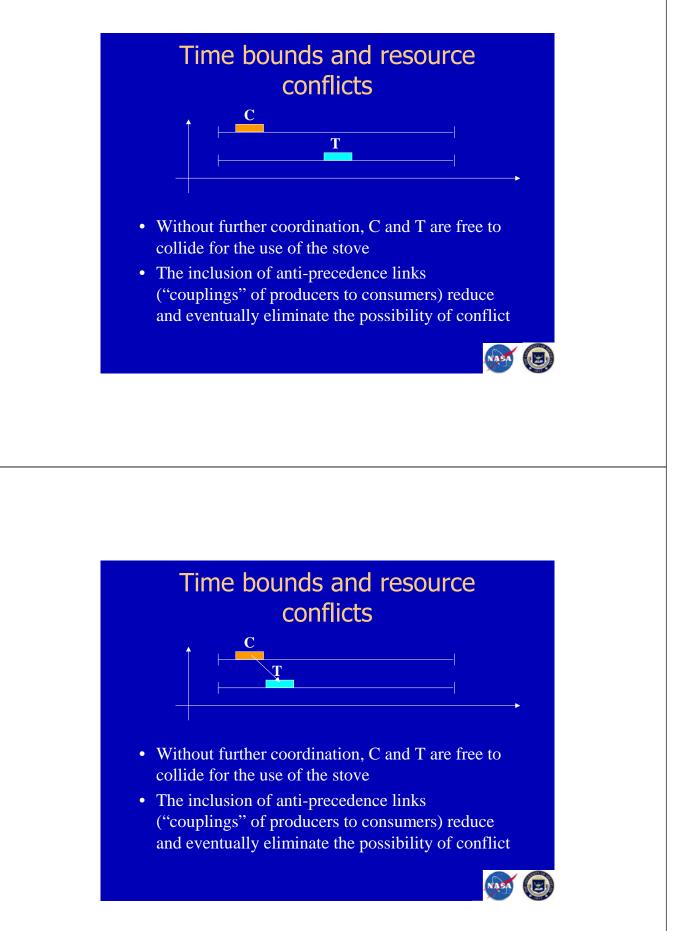


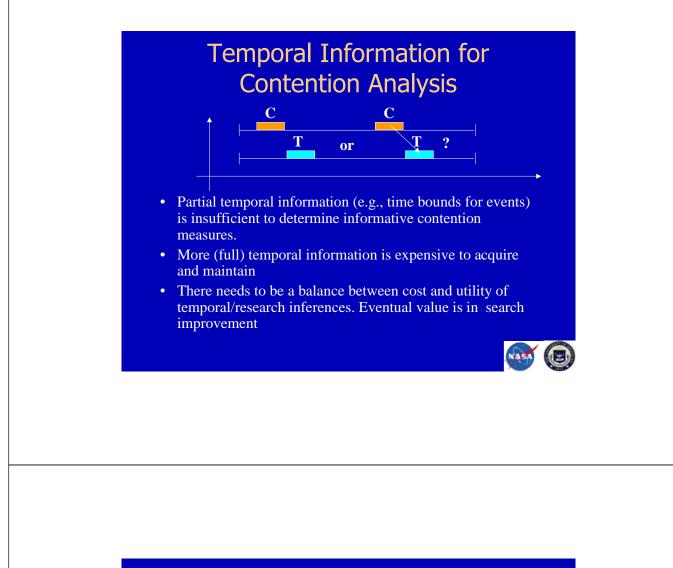
- Simple strategy for single capacity resources: simply keep the ordering constraints and uncommit the times from the fixed values
- Continuous/discrete capacity resources require the introduction of anti-precedence couplings between consumers and producers

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		←	←

- [Policella et al, 2004] Transform fixed schedule into "chaining form" partial order
- Decompose multiple capacity resource into "virtual" single capacity resources and add couplings on chains

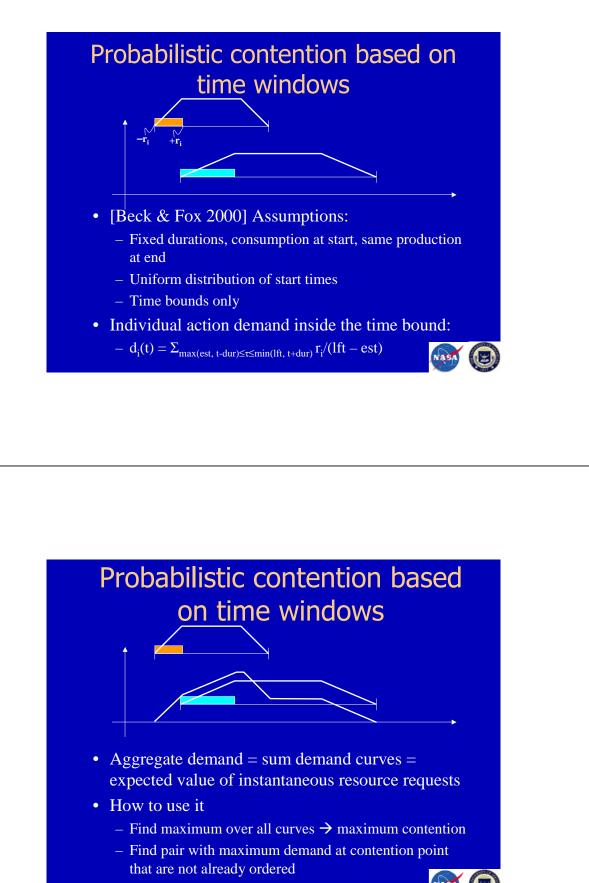


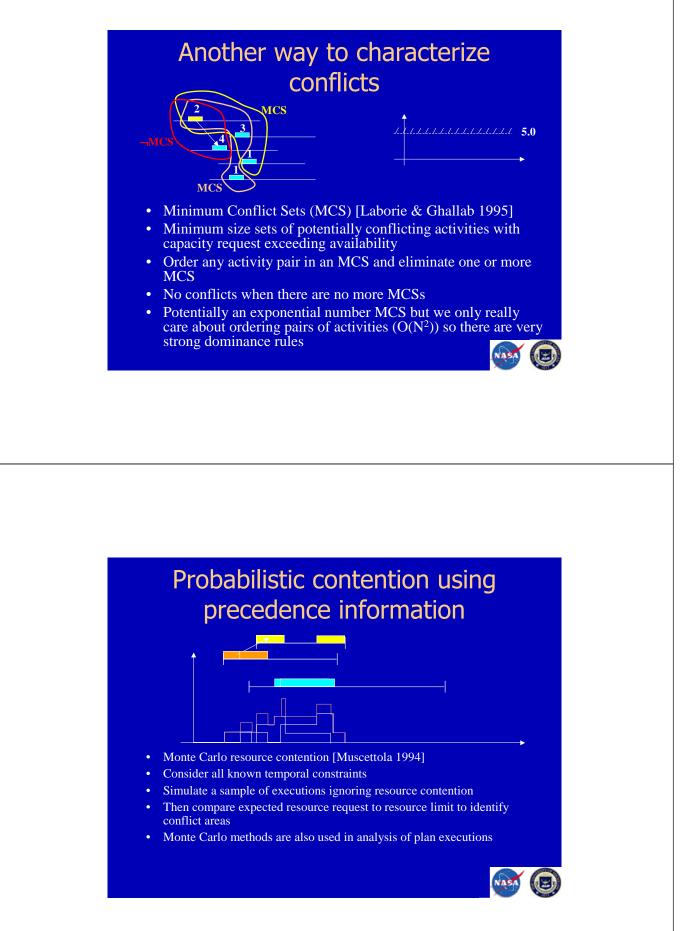




Probabilistic Resource Contention

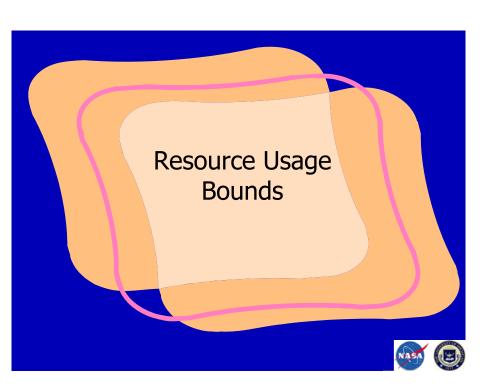
- Use probabilistic assumptions to generate time assignments given a temporal network
- Combine probabilistic assignments into contention statistics
- Use contention statistics as the basis for search heuristics
- Heuristic factors in probabilistic analysis:
 - Selection of problem sub-structure at the basis of statistics
 - Probabilistic assumptions on how activities request resource capacity
 - Variable/value ordering rules that use statistics

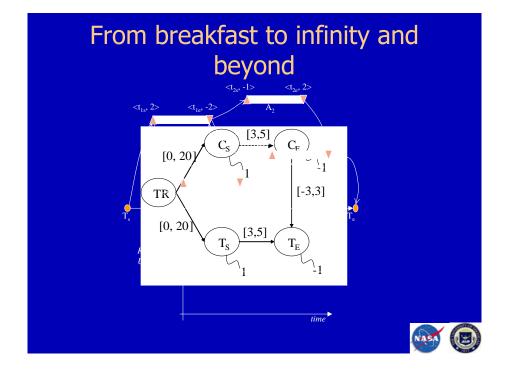




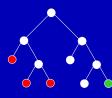
Comparison of statistical contention measures

- Monte Carlo simulation is more informed
- Time-window method is less computationally expensive
 - Time windows: O(N) in time and space
 - Monte Carlo: with sample size S
 - O(S E) in time (if network is dispatchable)
 - O(S N) in space
- Monte Carlo method also biases sample depending on stochastic rule used to simulate the network
 - ... but the rule can increase realism if it accurately describes execution conditions





Search Guidance

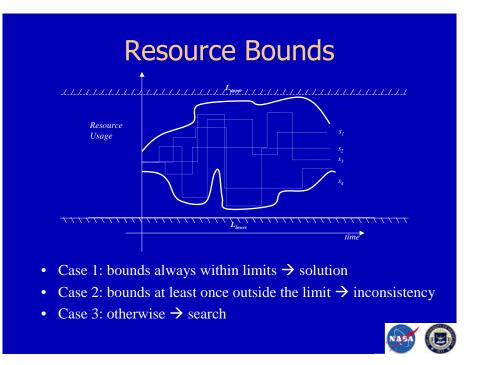


- The ability of detecting early that the flexible plan is resource/time inconsistent can save exponential amount of work
- Same for early detection of a solution

NAT

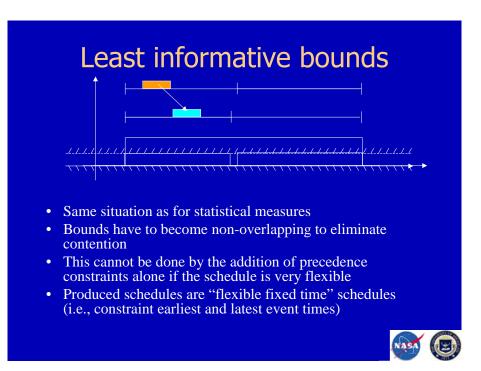
Need for exact resource bounds

- Statistical methods of resource contention give sufficient conditions to determine that a solution has not been achieved
- They cannot guarantee either inconsistency or achievement of a solution
- Exact resource bounds can

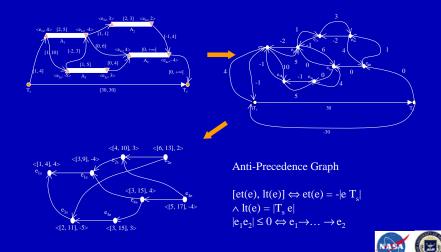


Bounds are costly

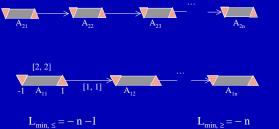
- In summary, bounds try to summarize the status of an exponential number of schedules
- As in the case of probabilistic measures, we can obtain different bounds depending of how much structural information on producer/consumer coupling we use
- The more information, the tighter the bound
- The more information, the more costly the bound









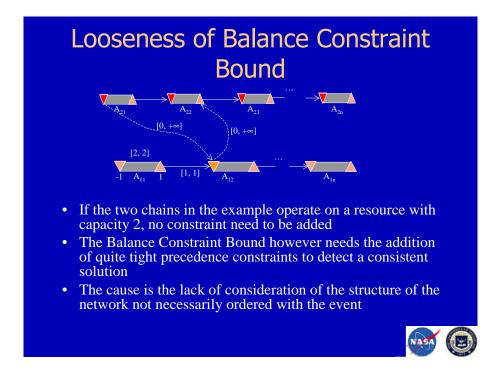


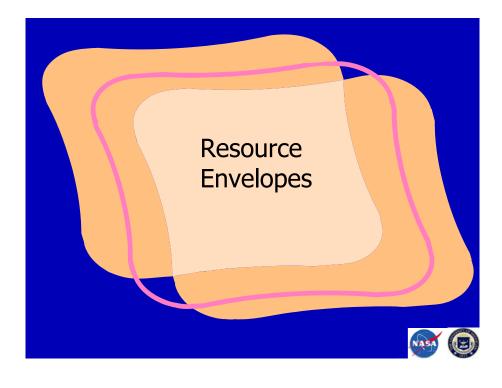
- Event centered: measure contention from the point of view of an event, not an absolute time reference
- Fundamental idea:
 - Make exact measures of consumption/production for predecessors and successors
 - Make worst case assumptions for all other events

NASA

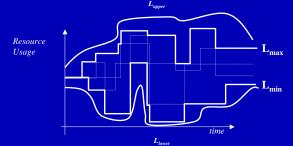
Cost of balance constraint bound

- Non incremental cost (compute the bound from scratch)
 - Find the anti-precedence network: $O(NE) \, / \, O(NE + N^2 log \, N)$
 - Compute bounds from each event: $O(NE) / O(N^2)$
- Total cost (time propagation + bounds): O(NE) / O(NE + N² logN)
- Incremental propagation can reduce cost per each iteration
- Used succesfully for optimal scheduling in [Laborie 2001]

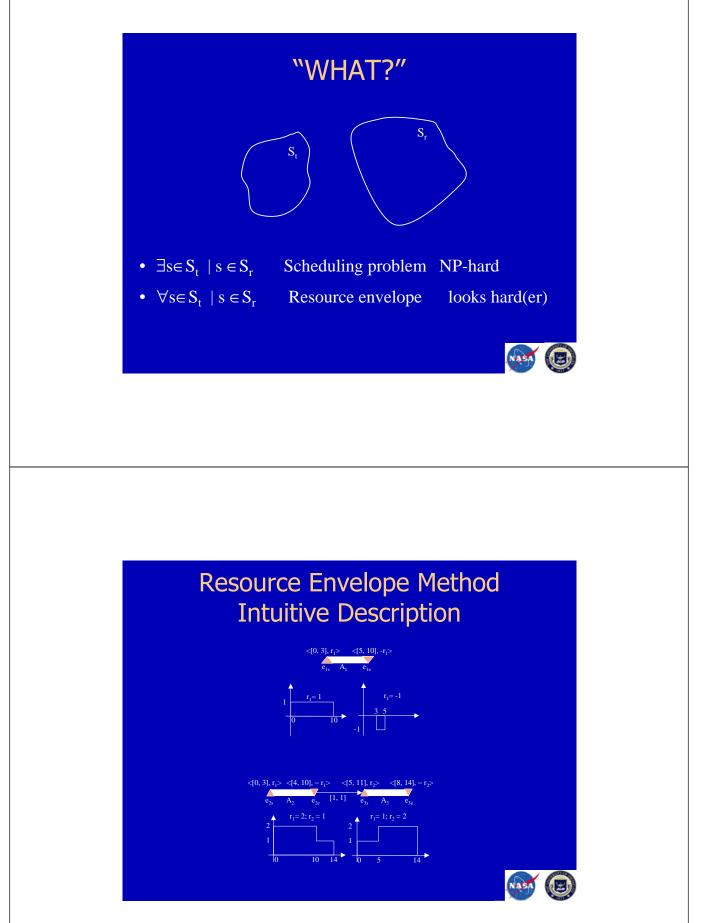


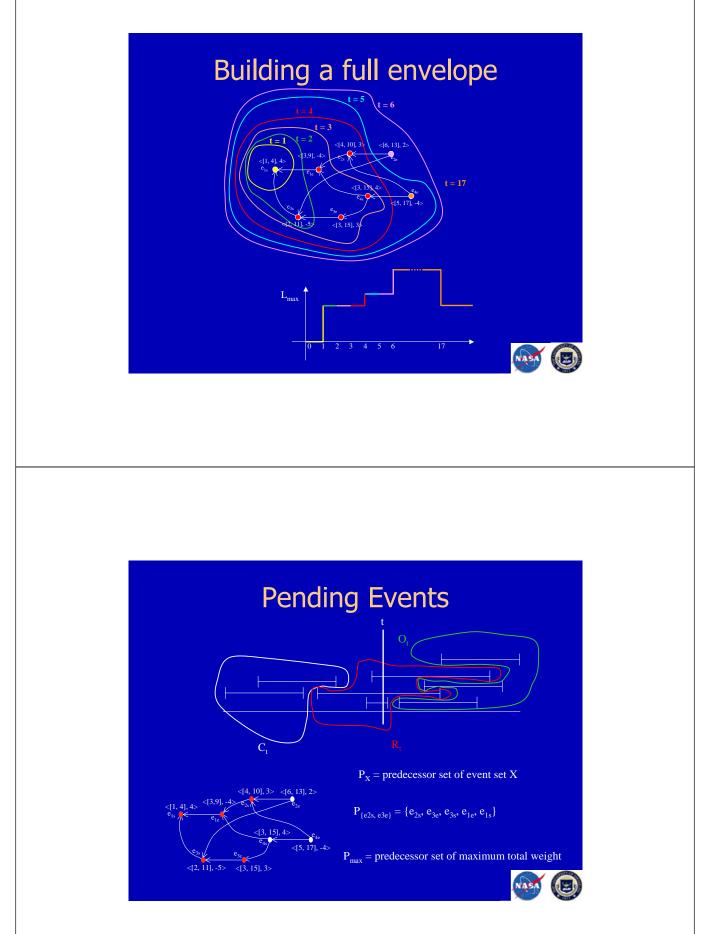


Resource Envelope



- Manager: "I am tired of half measures. How about giving me the tightest possible bounds?"
- Computer Scientist A: "Hmmm...I don't know. It looks difficult. Remember the exponential number of schedules?
- Rocket Scientist B: "Aw, no problem. I'll give you a fast polynomial algorithm for it ..."

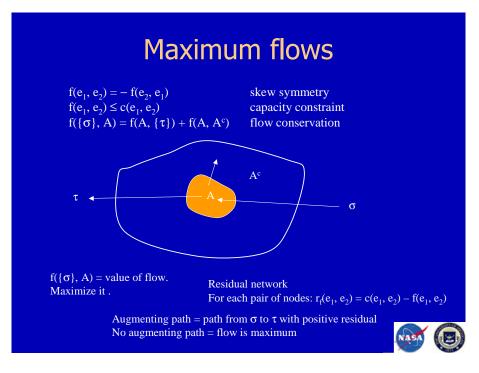




Key algorithm step

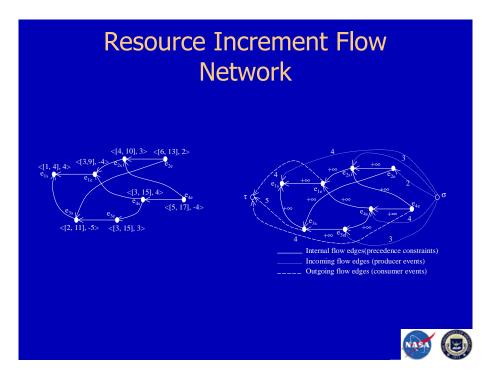
- "Find predecessor set within events that are pending at *t* that causes the maximum envelope increment"
- If we consider all "couplings" (due to anti-precedence links posted by the scheduler or due to original requirements), we can find sets of events that match. These will balance each other and cause no effect of the envelope level
- Events that do not match create a surplus or a deficit
- The amount of surplus (if any) represents the increase in resource envelope level.
- KEY PROBLEM: how do we compute the maximum match?





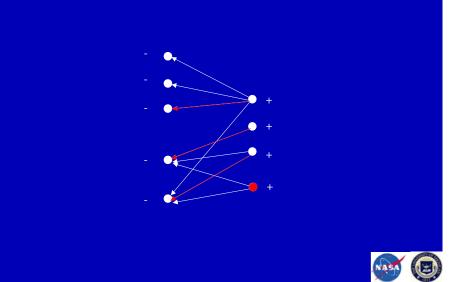
Maximum Flow Algorithms

Algorithm	Time Complexity	Complexity Key
Labeling	0(N E U)	Total pushable flow
Capacity scaling	O(NE logU)	Total pushable flow
Successive shortest paths	0(N²E)	Shortest distance to $ au$
Generic Preflow-push	0(N ² E)	Distance label
FIFO Preflow-push	O(N ³)	Distance label



Tutorial on Temporal and Resource Reasoning for Planning, Scheduling and Execution

A simple P_{max} selection problem



Maximum Resource-Level Increment Predecessor Set

Theorem 1 : P_{max} = set of events that is reachable from σ in the residual network of a f_{max}

Theorem 2 : P_{max} is unique and has the minimal number of events

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Separation Schedule and Separation Time

We know how to compute a P_{max} but ...

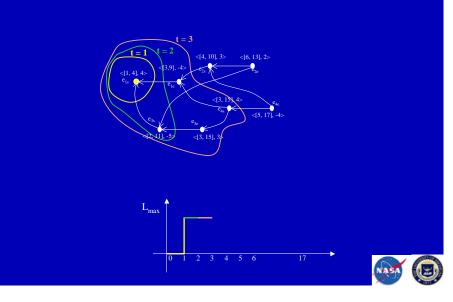
... given a P_{max} is there a temporally consistent schedule and a time t_x such that all events in C_H and P_{max} are schedule at or before t_x and all events in P^c_{max} and O_H are scheduled after t_x ?

Theorem 3: Yes!

Maximum Resource Level and Resource Envelope

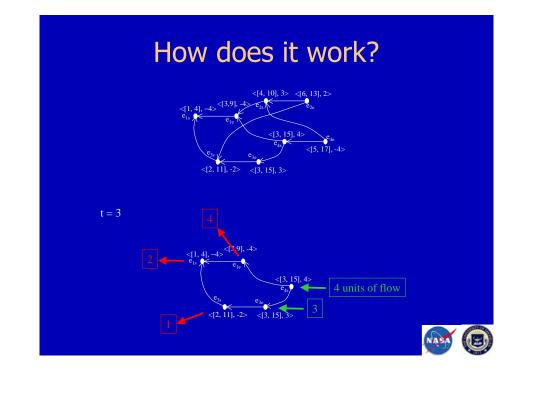
- Complete envelope profile [Muscettola, CP 2002]
 - $L_{max}(t) = \Delta(C_t) + \Delta(P_{max}(R_t))$
 - $P_{max}(R_t)$ and C_t change only at et(e) and lt(e).
 - Complexity: O(n O(maxflow(n, m, U)) + nm)
- Can we do better?

Building a full envelope

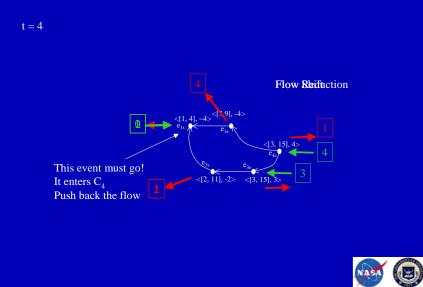


Staged Resource Envelope

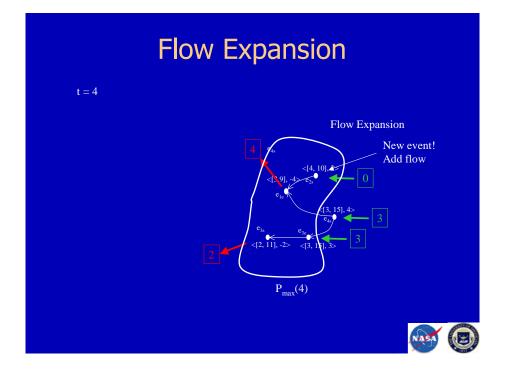
- Do not repeat flow operations on portion of the network that has already been used to compute envelope levels
- Deletion of flow due to elimination of consumers at time out do not cause perturbation to incremental flow
- We can reuse much (all?) of the flow computation at previous stages, increasing performance







Tutorial on Temporal and Resource Reasoning for Planning, Scheduling and Execution



Recursive Equation

$$\begin{split} L_{max}(t_i) &= L_{max}(t_{i-1}) & + \\ \Delta(E_1 = \text{events in } P^c_{max}(t_{i-1}) \text{ closed at time } t_i) & + \\ \Delta(E_2 = \text{events in } P_{max} \text{ after Flow Contraction on remainder of } E_1 \text{ elimination}) & + \\ \Delta(E_3 = \text{events in } P_{max} \text{ after Flow Expansion on remainder of } E_2 \text{ elimination}) \end{split}$$

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Complexity Analysis

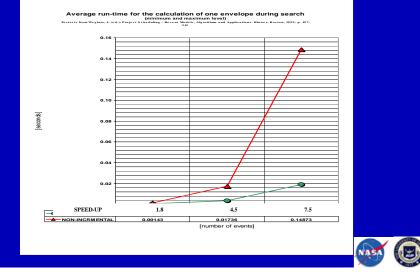
- Look at all known Maximum Flow algorithms
- Identify complexity key
 - Total pushable flow (Labeling methods)
 - Shortest distance to τ (Successive Shortest Paths)
 - Distance label (Preflow-push methods)
- Show that complexity keys have same monotonic properties across multiple envelope stages that over a computation of maximum flow over entire network.
- Hence, complexity is O(Maxflow(n, m, U))

Summarized excerpt from helpful comments of friendly ICAPS 2004 reviewers

"Sure, nice theory. But theory ain't much. Where are the empirical results, eh?"



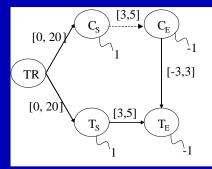
Empirical speedup of staged algorithm



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One More Breakfast

THE END





References I

The literature on temporal reasoning and planning is extensive. Here we list only some initial sources for ideas and, where avaiable, survey papers that provide detail and additional references; these survey papers are in **boldface** and color

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